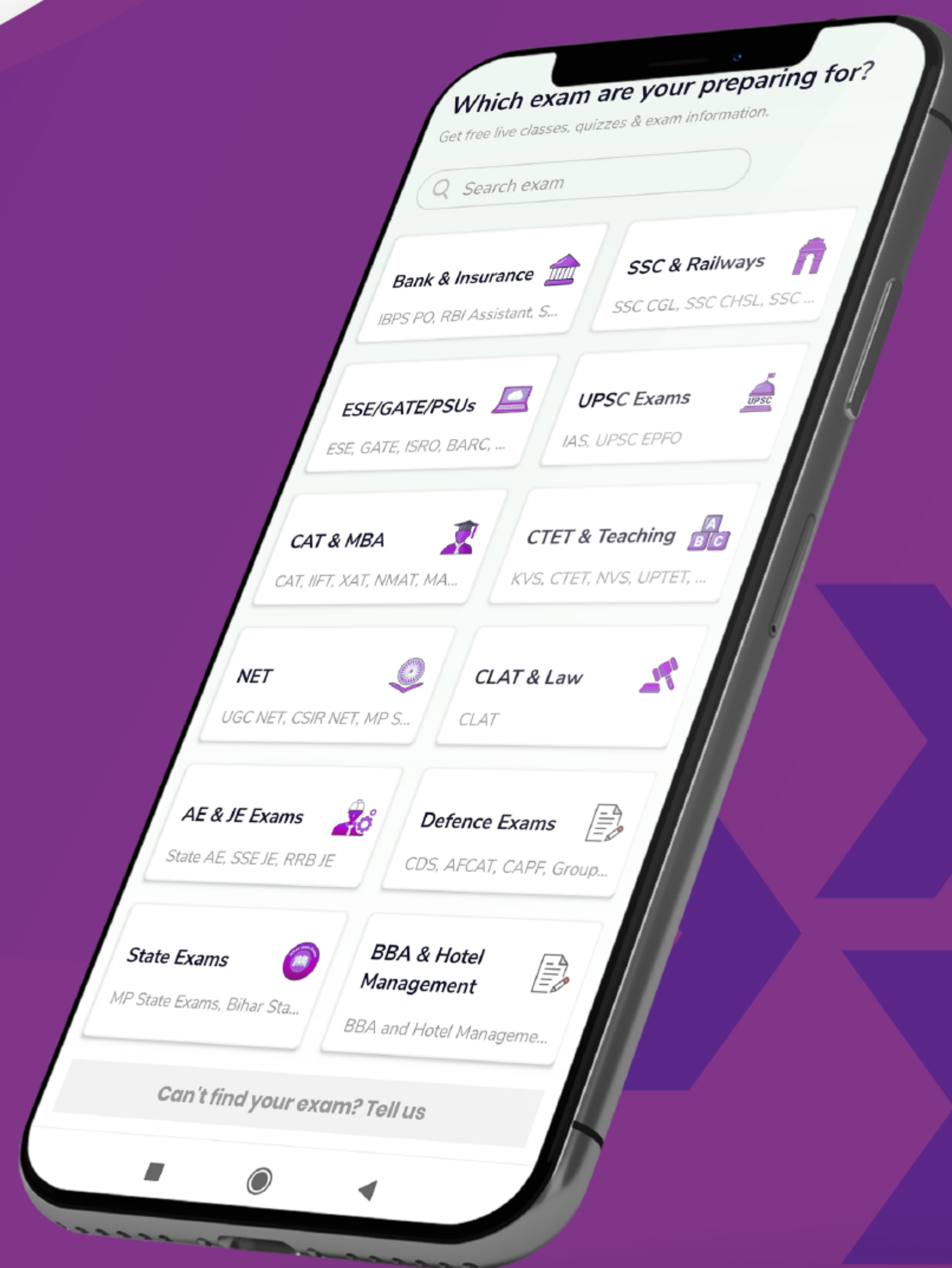


Formula Sheet On Mensuration



TRIANGLES

(a) When base (b) and height (h) perpendicular to that base are given.

$$\text{Area} = \frac{1}{2} \times \text{base} \times \text{height} = \frac{1}{2} b \cdot h$$

(b) When lengths of all three sides are given a, b and c

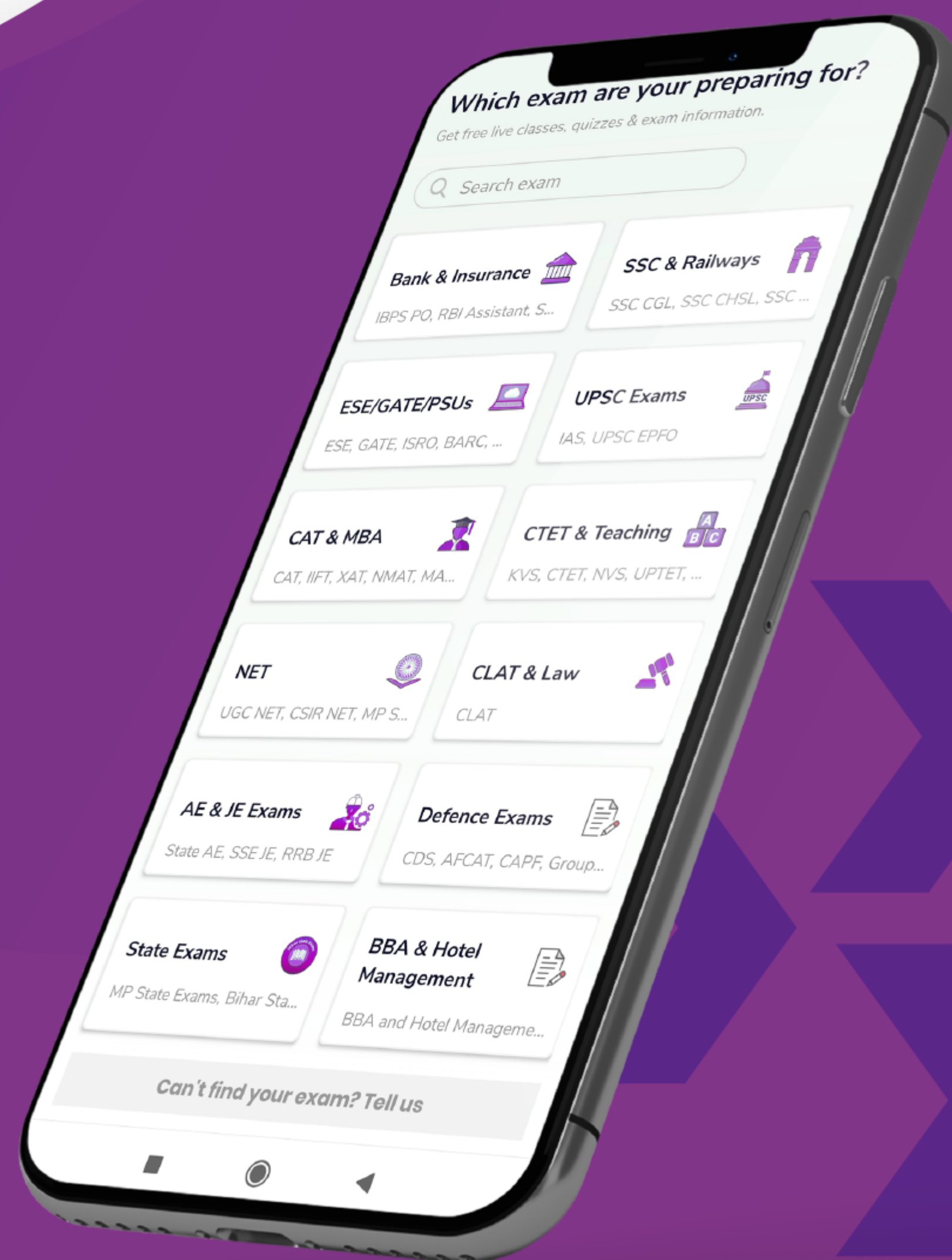
$$\text{Area} = \sqrt{S(S-a)(S-b)(S-c)} \text{ where, } S = \frac{a+b+c}{2} = \text{semi perimeter of the triangle}$$

This is called Heron's Formula.

(c) If the lengths of three medians of a triangle ABC are p, q, r units, then:

$$\text{Area} = \frac{4}{3} \sqrt{S_m(S_m-p)(S_m-q)(S_m-r)}$$

$$\text{Where, } S_m = \frac{p+q+r}{2}$$



QUADRILATERALS

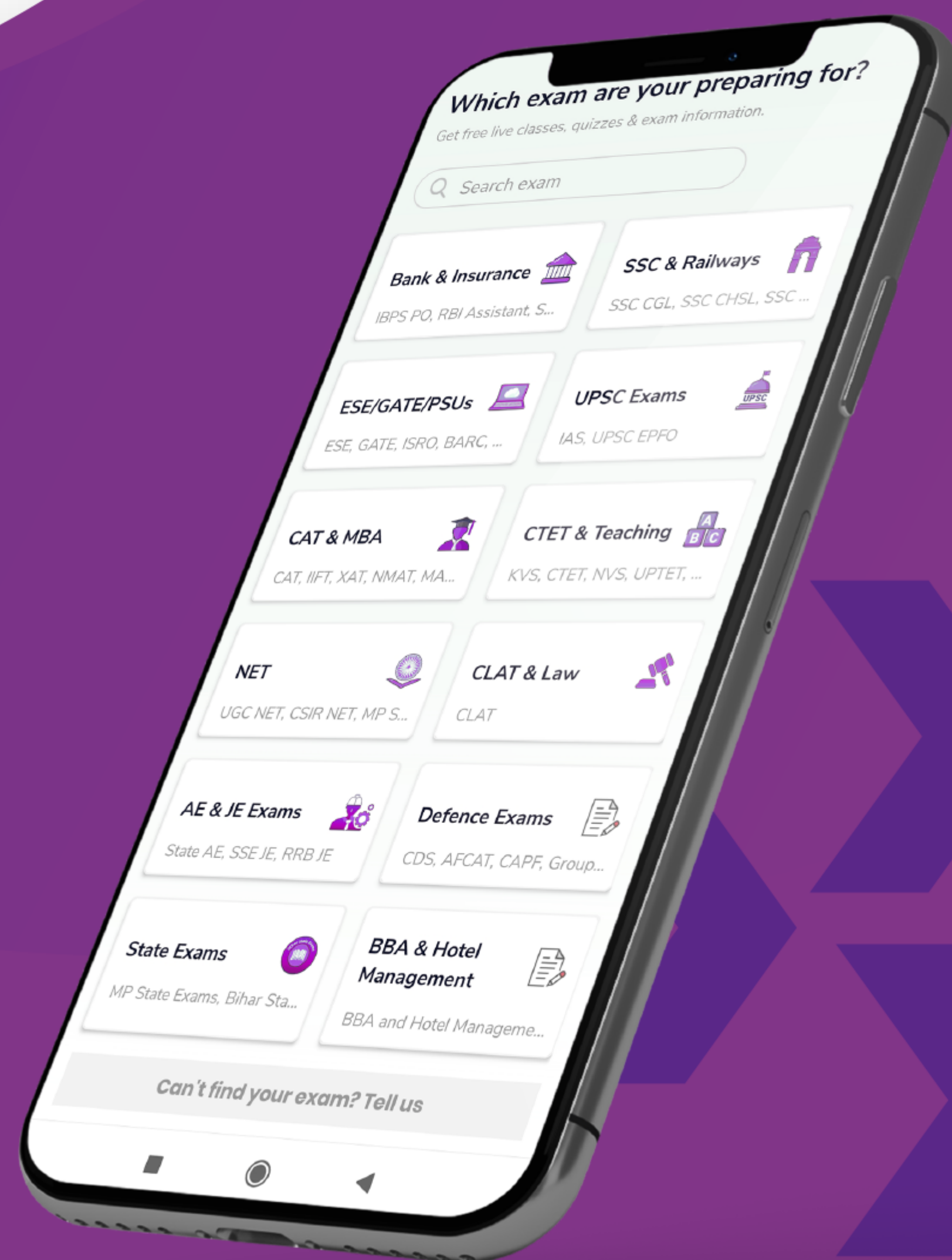
(i) For any quadrilateral in general,

(a) $\angle A + \angle B + \angle C + \angle D = 360^\circ$

(b) Area of the Quadrilateral = $\frac{1}{2} \times$ (one diagonal) \times (sum of perpendicular to it from opposite vertex)

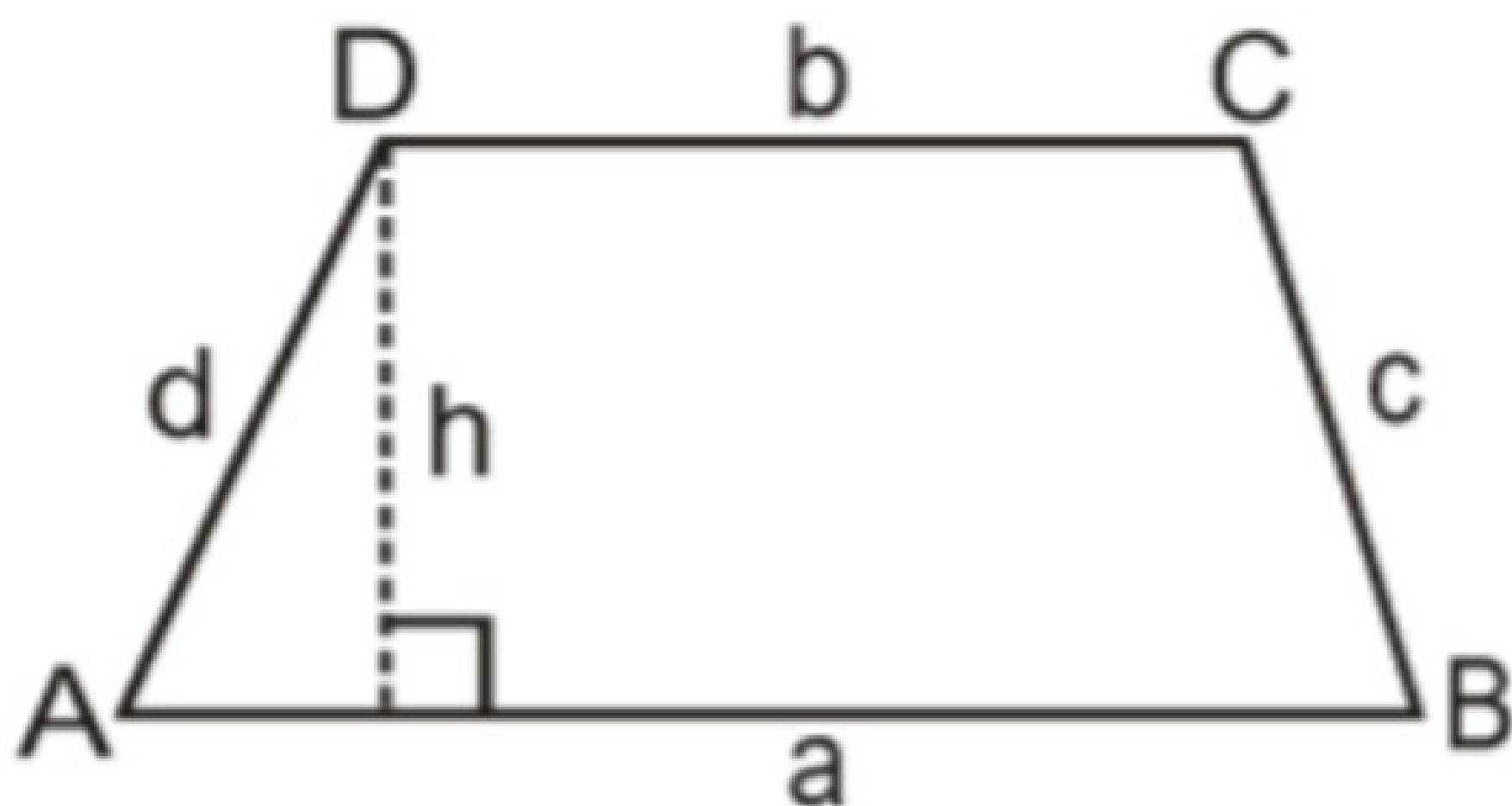
$$= \frac{1}{2} \times (AC) \times (h_1 + h_2)$$

(c) Perimeter = $a + b + c + d$.



Trapezium

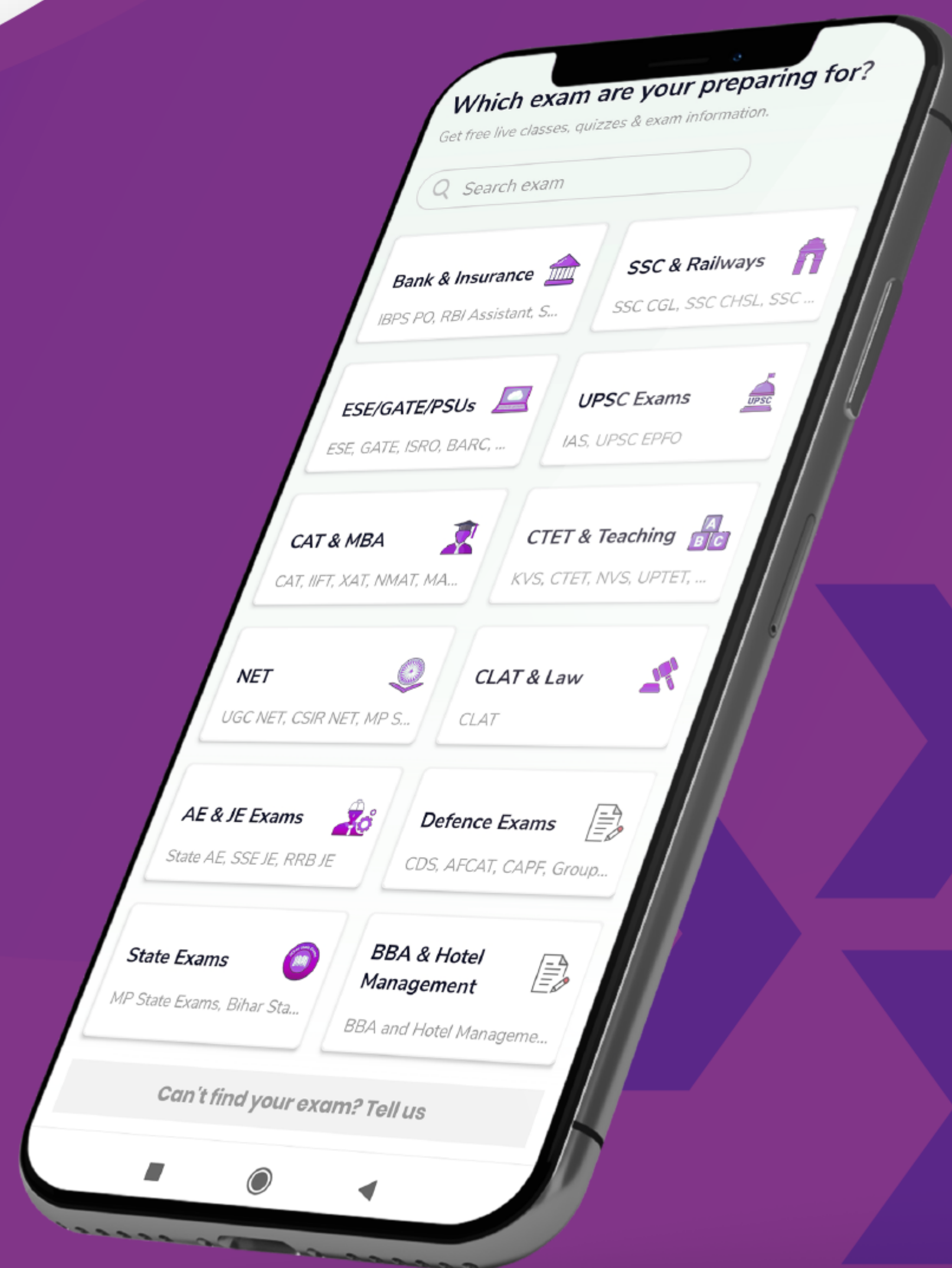
(iii) Trapezium: A quadrilateral where any two opposite sides are parallel is a Trapezium.



(a) Area of a trapezium = $\frac{1}{2} \times (\text{sum of parallel sides}) \times (\text{perpendicular distance between them})$

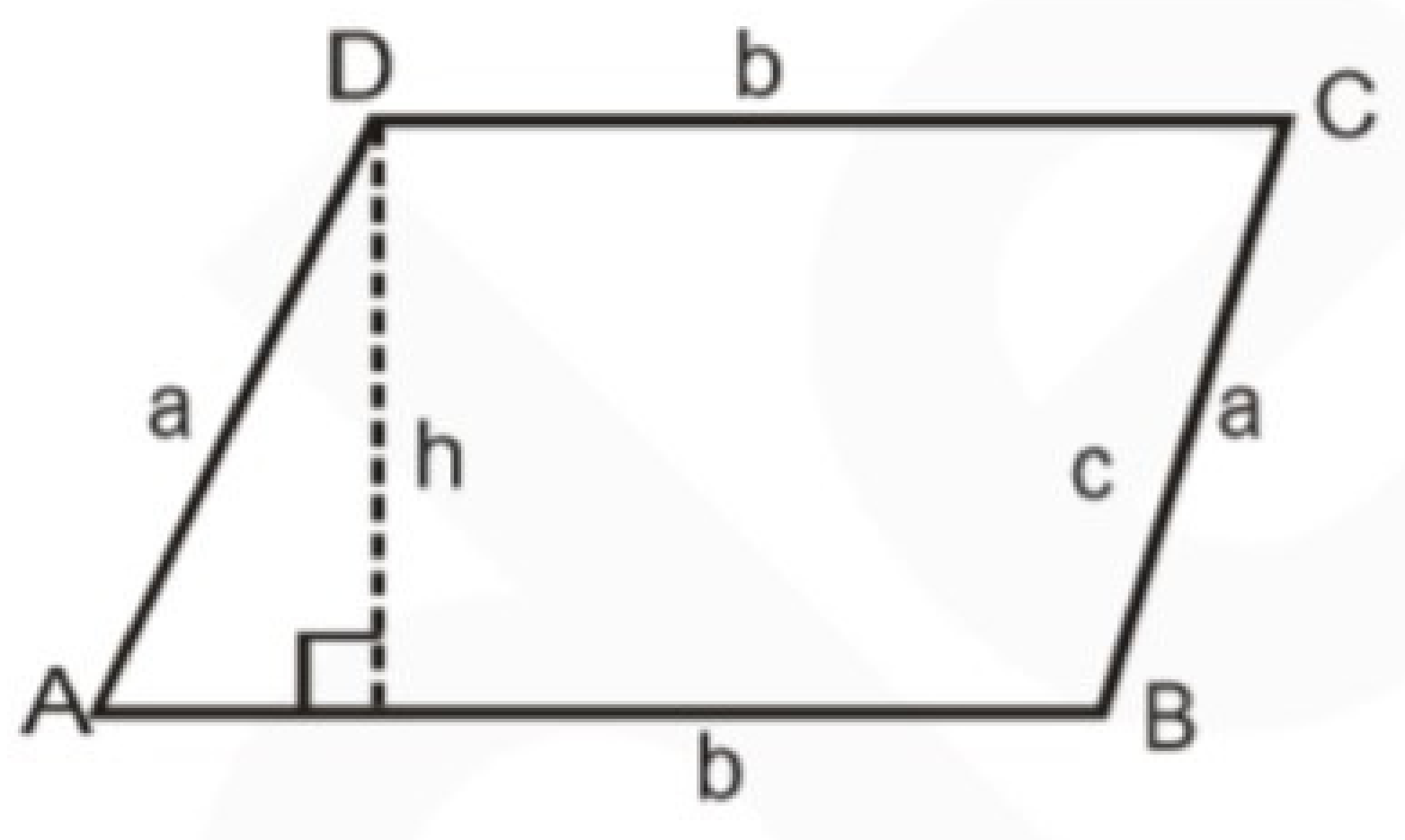
$$= \frac{1}{2}(a + b) \times h$$

(b) Perimeter (P) = $a + b + c + d$



Parallelogram

(iv) Parallelogram: A parallelogram is a quadrilateral whose opposite sides are equal and parallel.



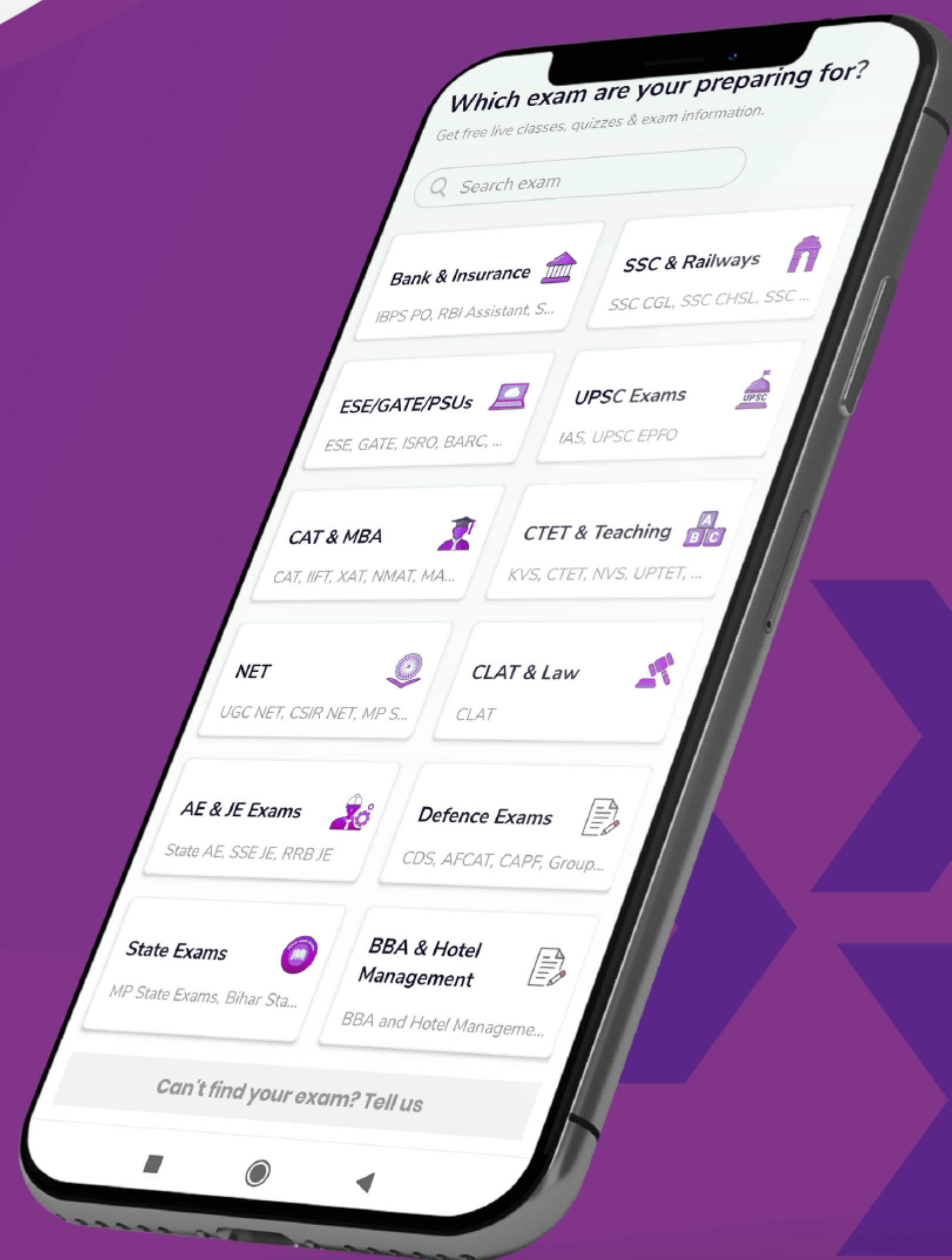
(a) Area = base \times height

(b) Area = Product of two sides \times sin of the angle between two adjacent sides = $ab \sin\theta$

(c) Perimeter $2(a + b)$

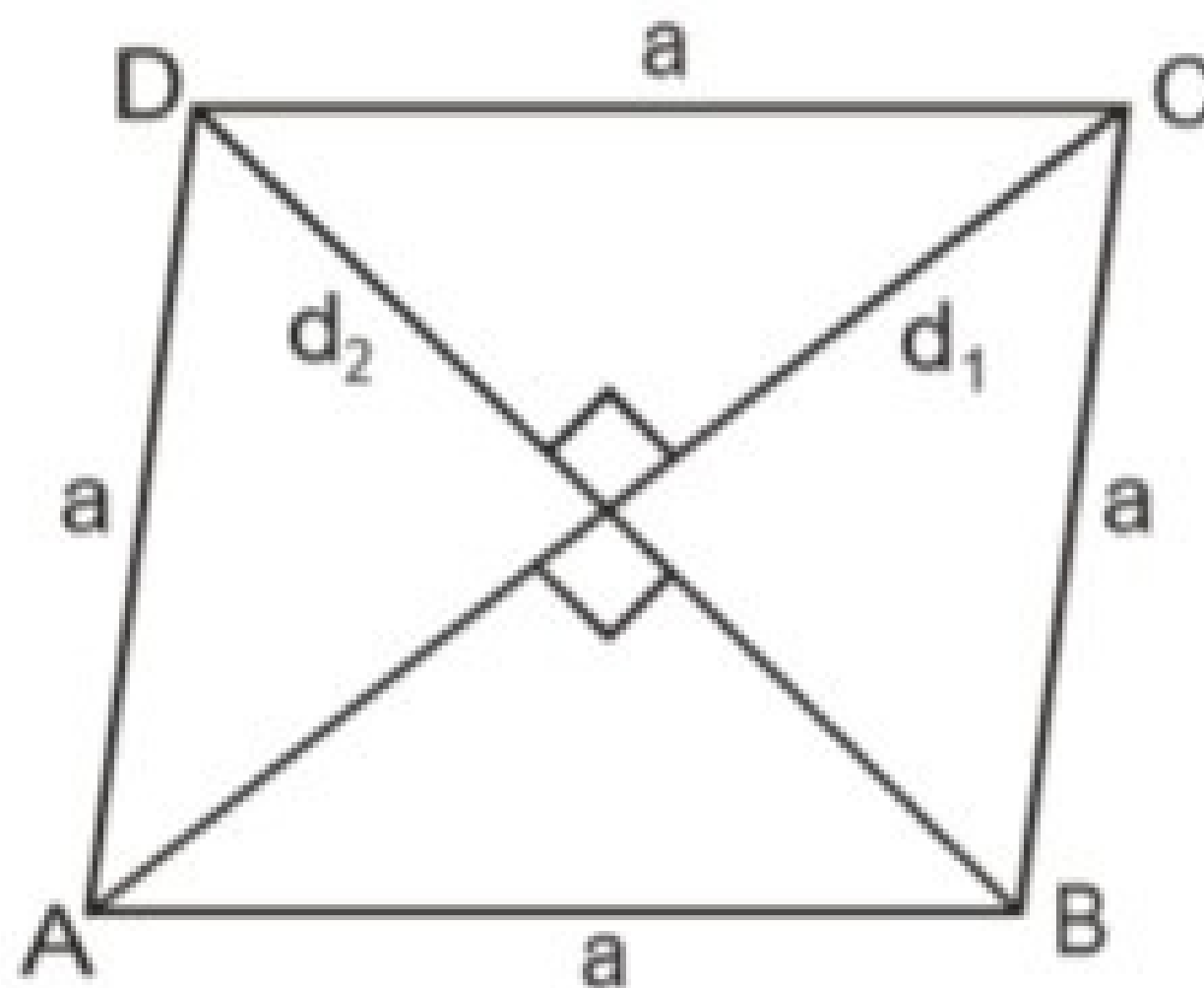
(d) $d_1^2 + d_2^2 = 2(a^2 + b^2)$

(d_1, d_2 = length of diagonals)



Rhombus

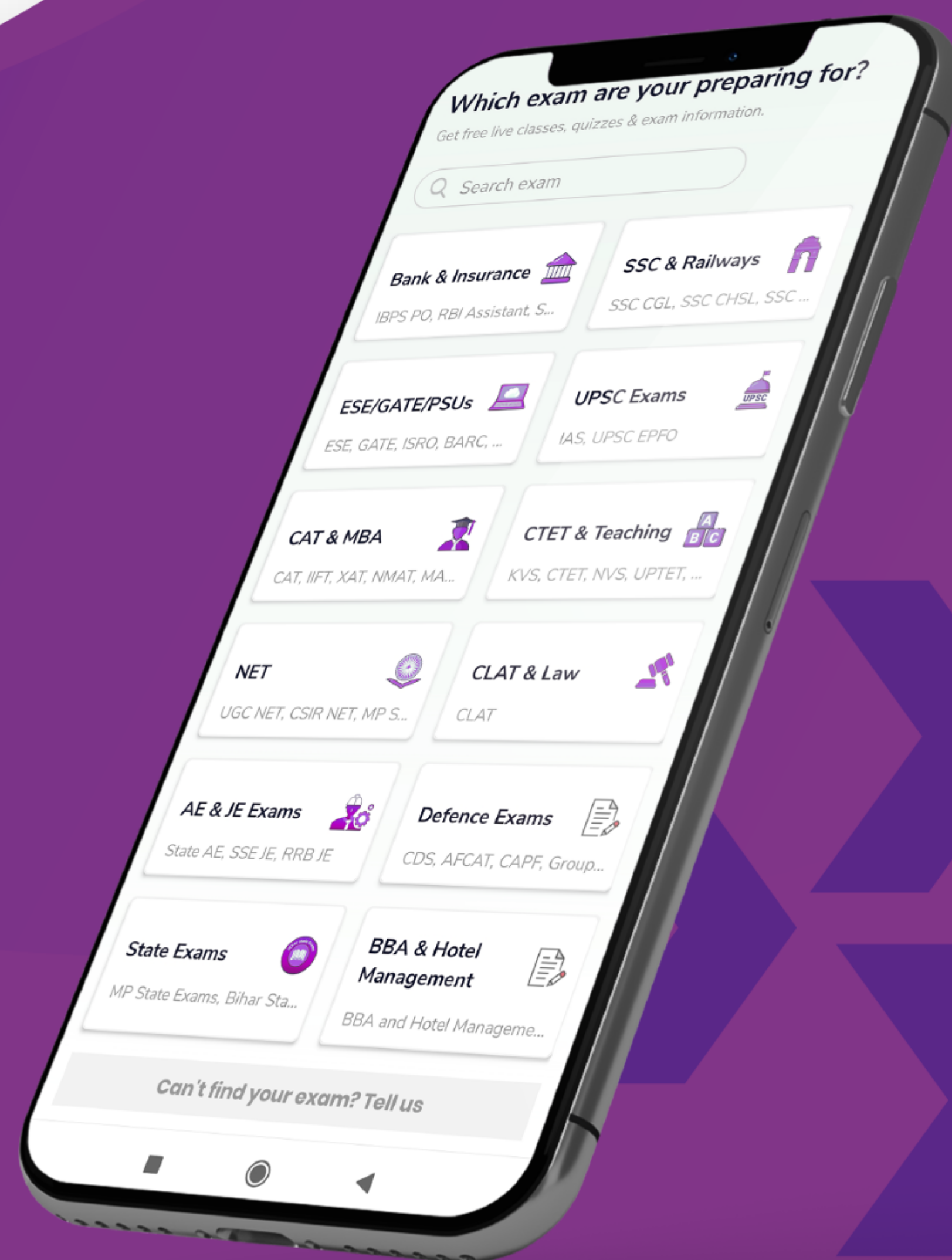
(v) Rhombus: It is a parallelogram whose all four sides are equal



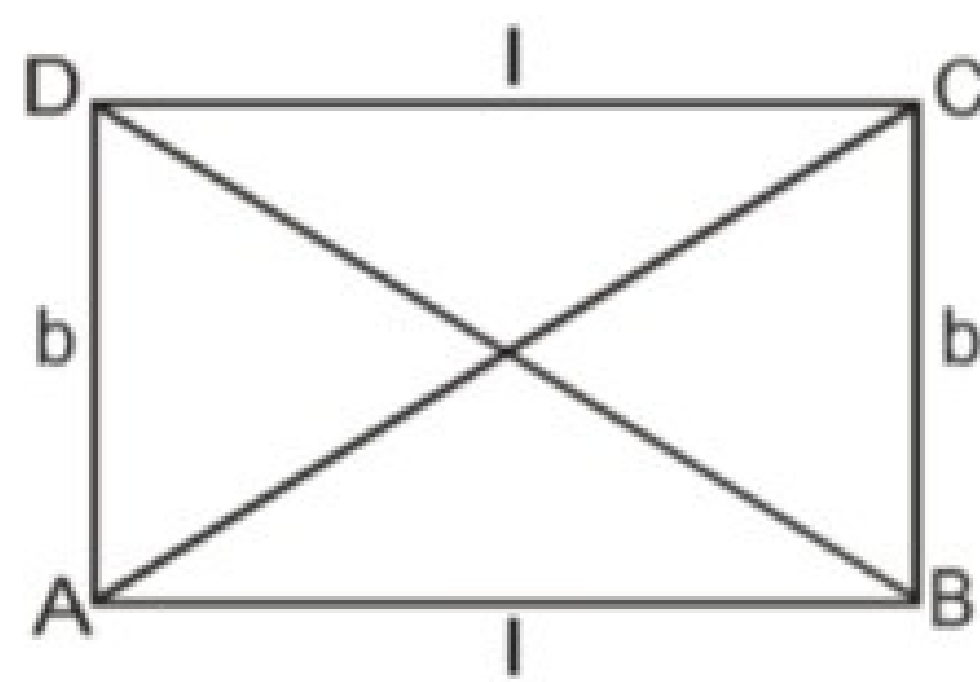
(a) Diagonals of a Rhombus bisect each other at 90°

(b) Area = $\frac{1}{2} \times$ product of the diagonals

(c) Perimeter = $4 \times$ side of the rhombus



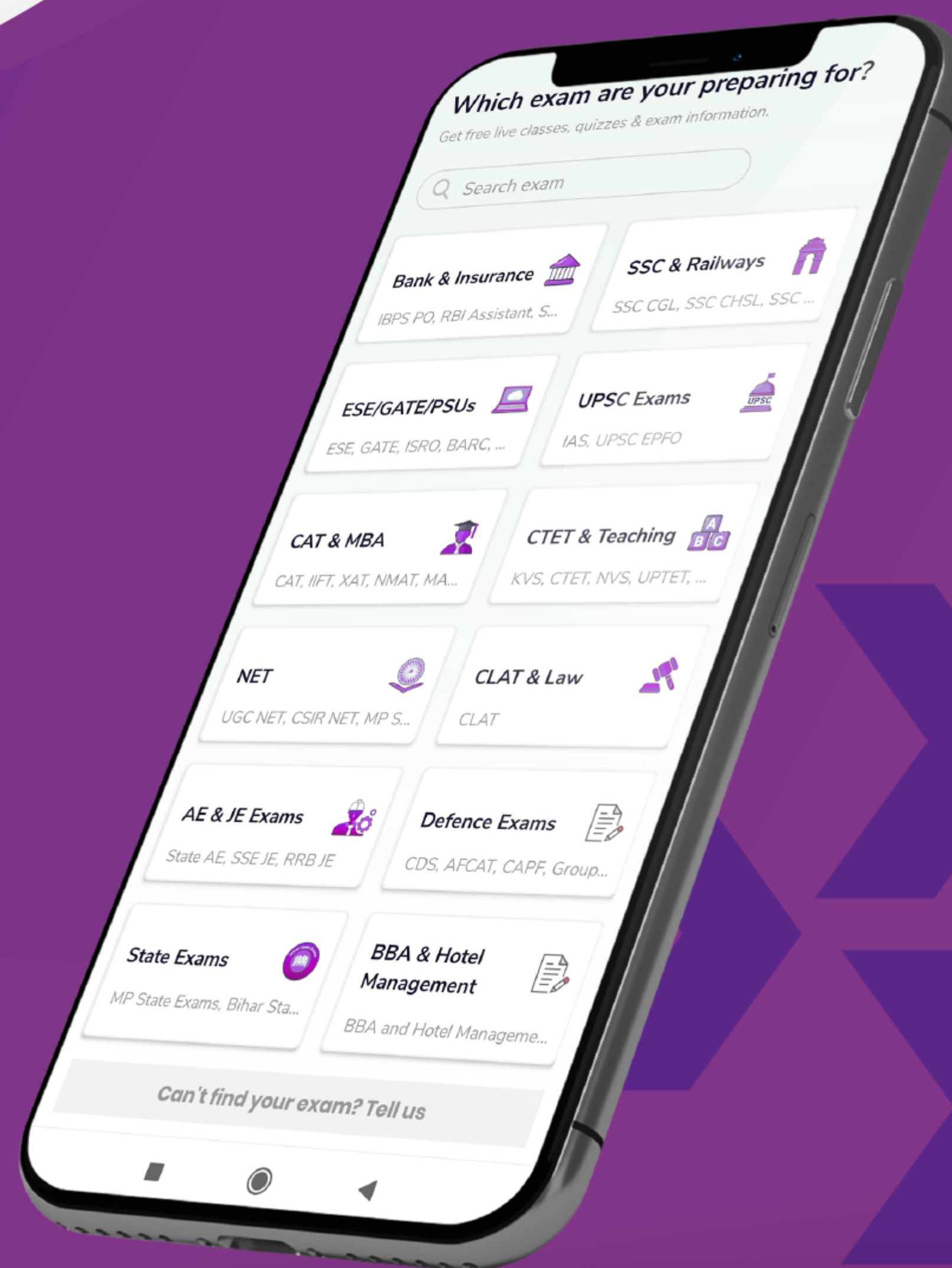
Rectangle



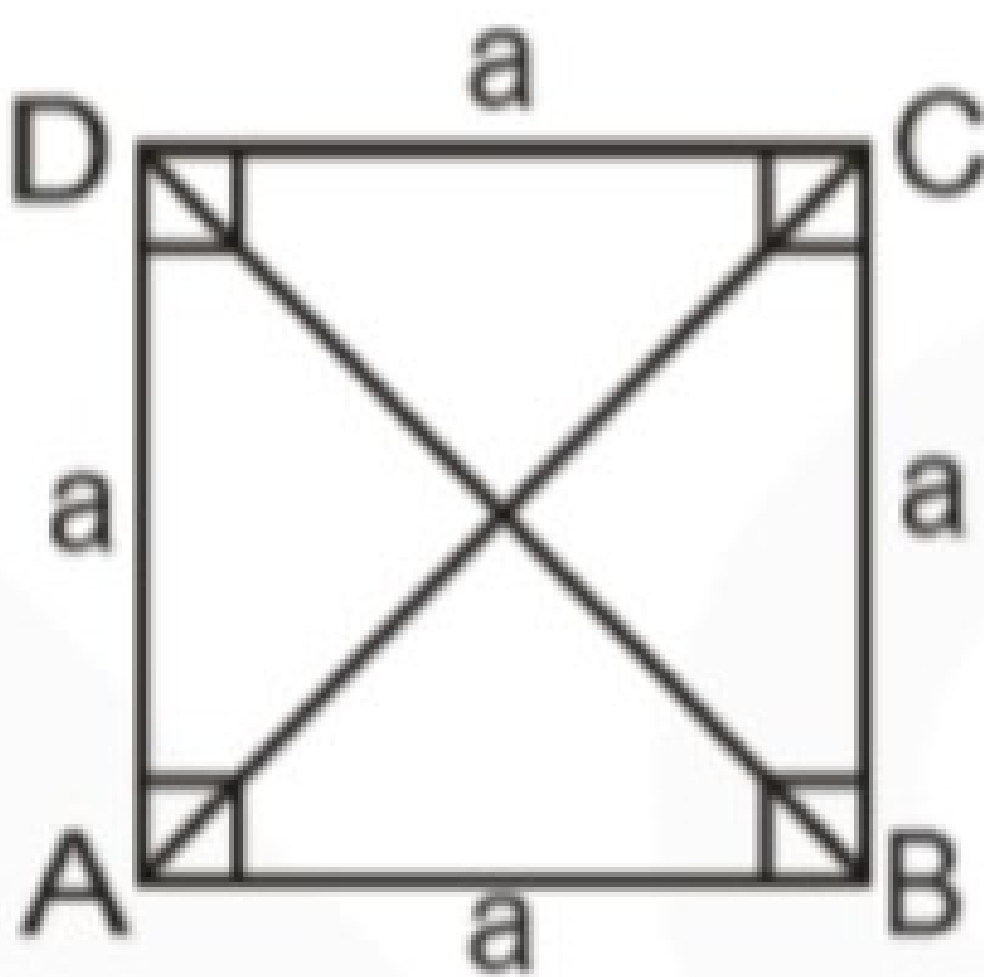
(a) Area = Length \times Breadth

(b) Perimeter = $2(l + b)$, where l and b are the length and the breadth of the rectangle respectively

(c) Diagonals are equal and bisect each other.



SQUARE



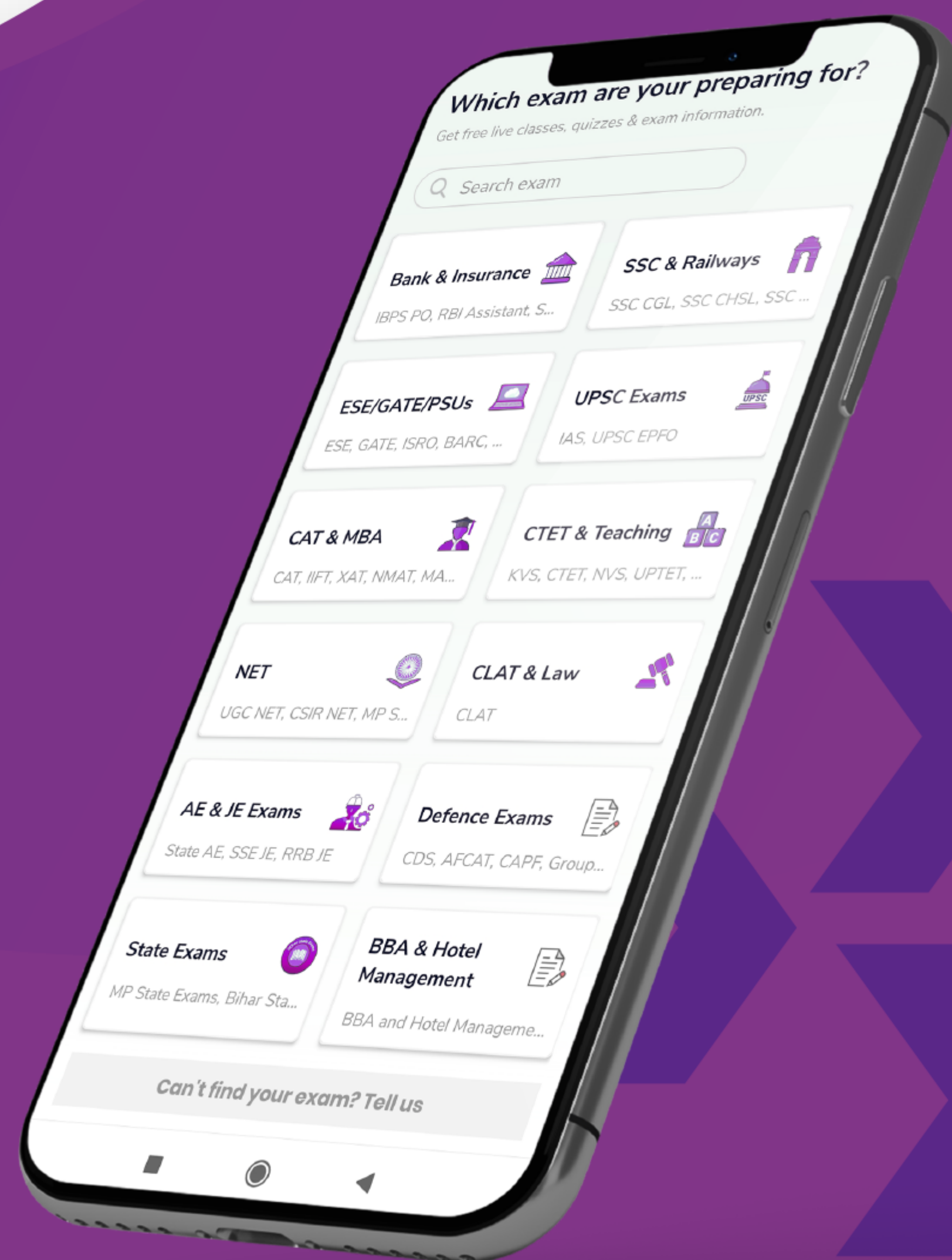
All four sides of a square are equal and all four vertex angles are equal to 90° ,

(a) Area = (side)²

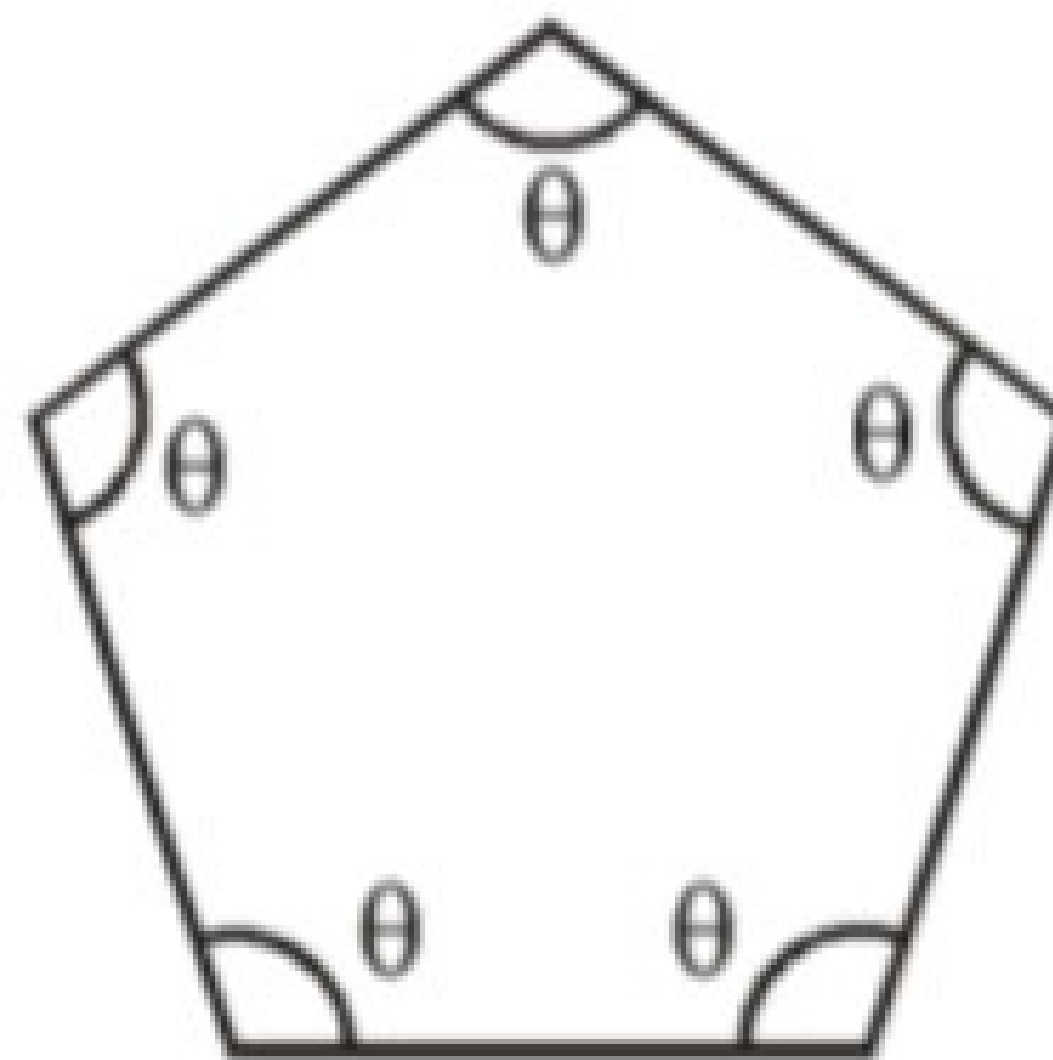
(b) Area = $\frac{1}{2} \times (\text{Diagonal})^2$

(where diagonal = $\sqrt{2} \times \text{side}$)

(c) Perimeter = 4 × side



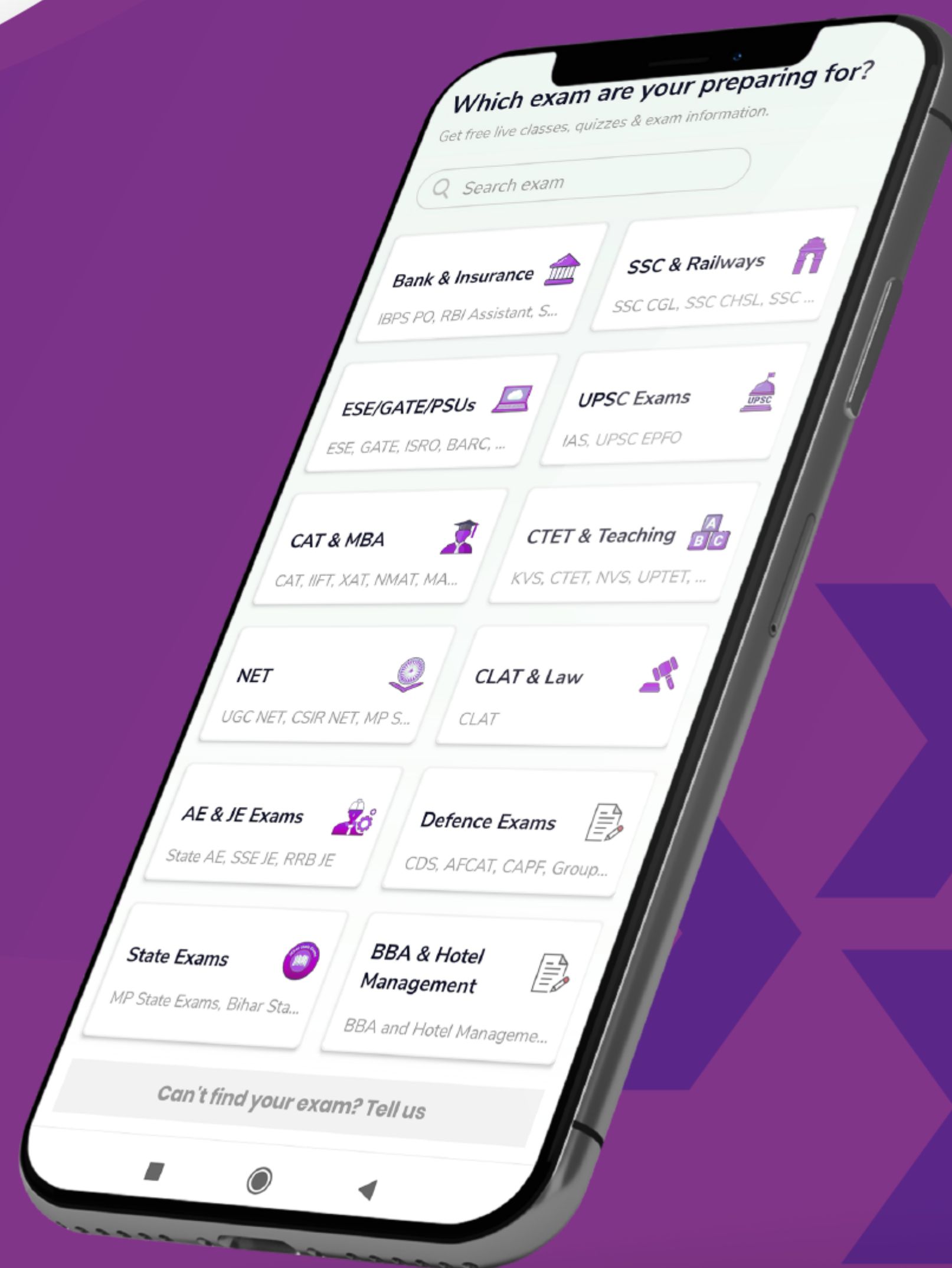
POLYGONS



All the interior angles of a regular polygon are equal.

For a regular polygon:

- (i) Sum of exterior angles = 360°
- (ii) Sum of interior angles = $(n - 2) \times 180^\circ$



(iv) Each interior angle

(vii) Area of a regular polygon = $\frac{1}{2} \times (\text{Perimeter}) \times (\text{Perpendicular distance from the centre of the polygon to any side})$

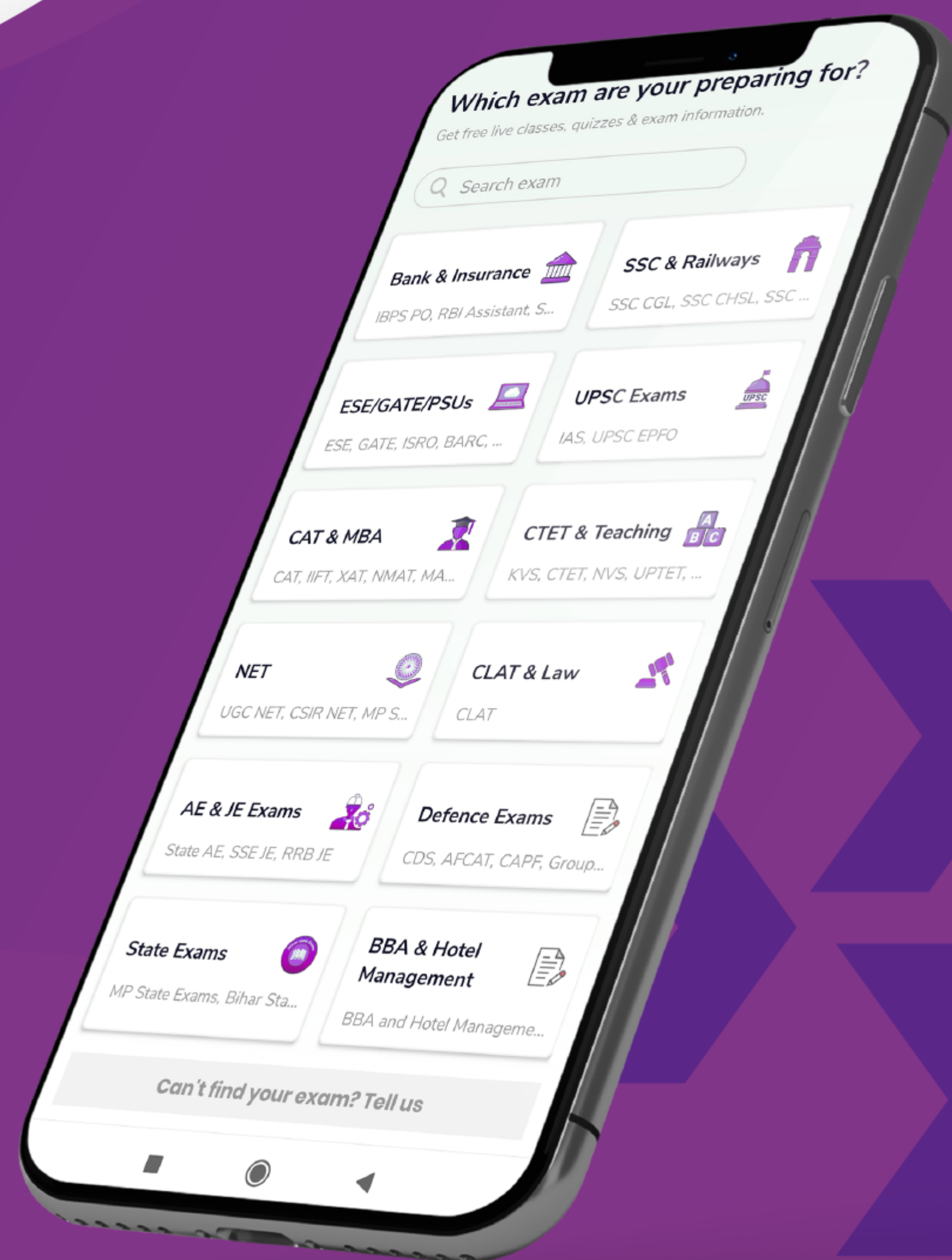
(Centre of a regular polygon is equidistant from all its sides)

Area of regular Hexagon = $6 \times (\text{Area of equilateral triangle of side } a)$

Since regular Hexagon is made of 6 equilateral triangle when its vertex are joined to

$$\text{centre} = 6 \times \frac{\sqrt{3}}{4} a^2 = \frac{3\sqrt{3}}{2} a^2$$

Regular octagon: Area = $2(\sqrt{2} + 1)(\text{side})^2$



Circles

(i) Area of circle = πr^2 , where r is the radius of the circle

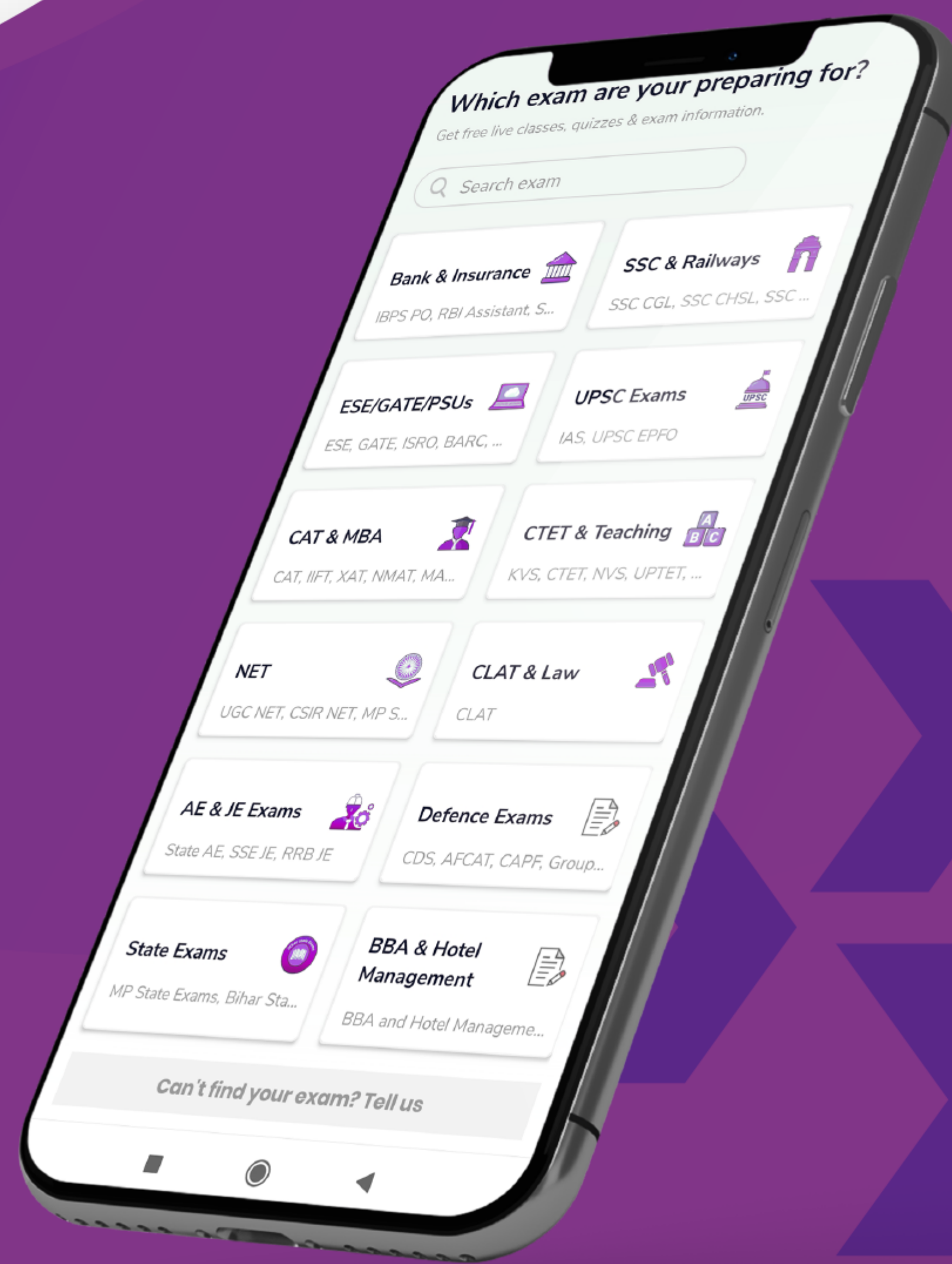
(ii) Circumference of a circle = $2\pi r$

Room: If we have a room of length l , breadth b and height h , then,

Area of four walls of the room = $2h(l + b)$

Area of four walls and floor = $2h(l + b) + lb$

Area of floor, roof and four walls = $2h(l + b) + 2lb$

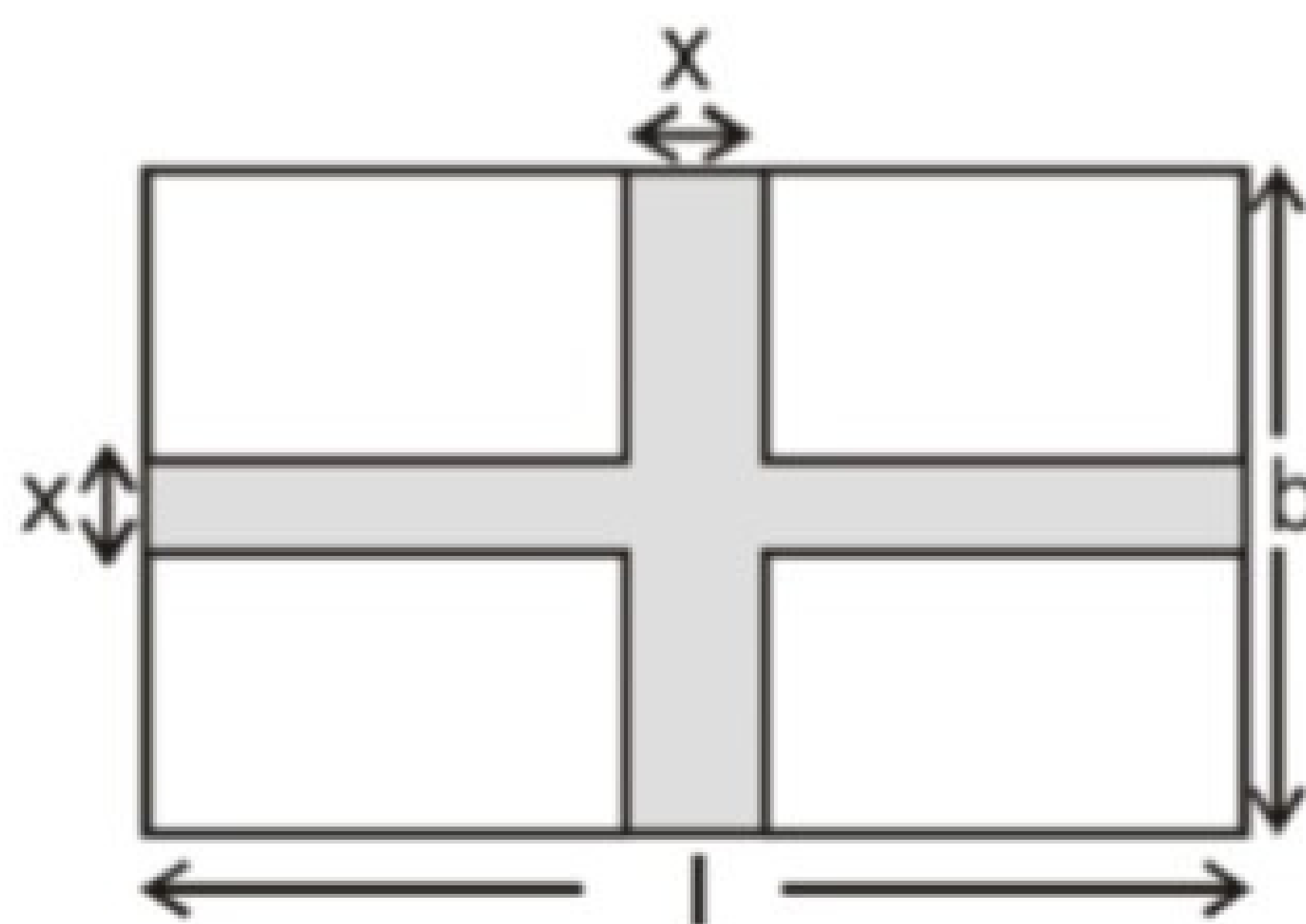


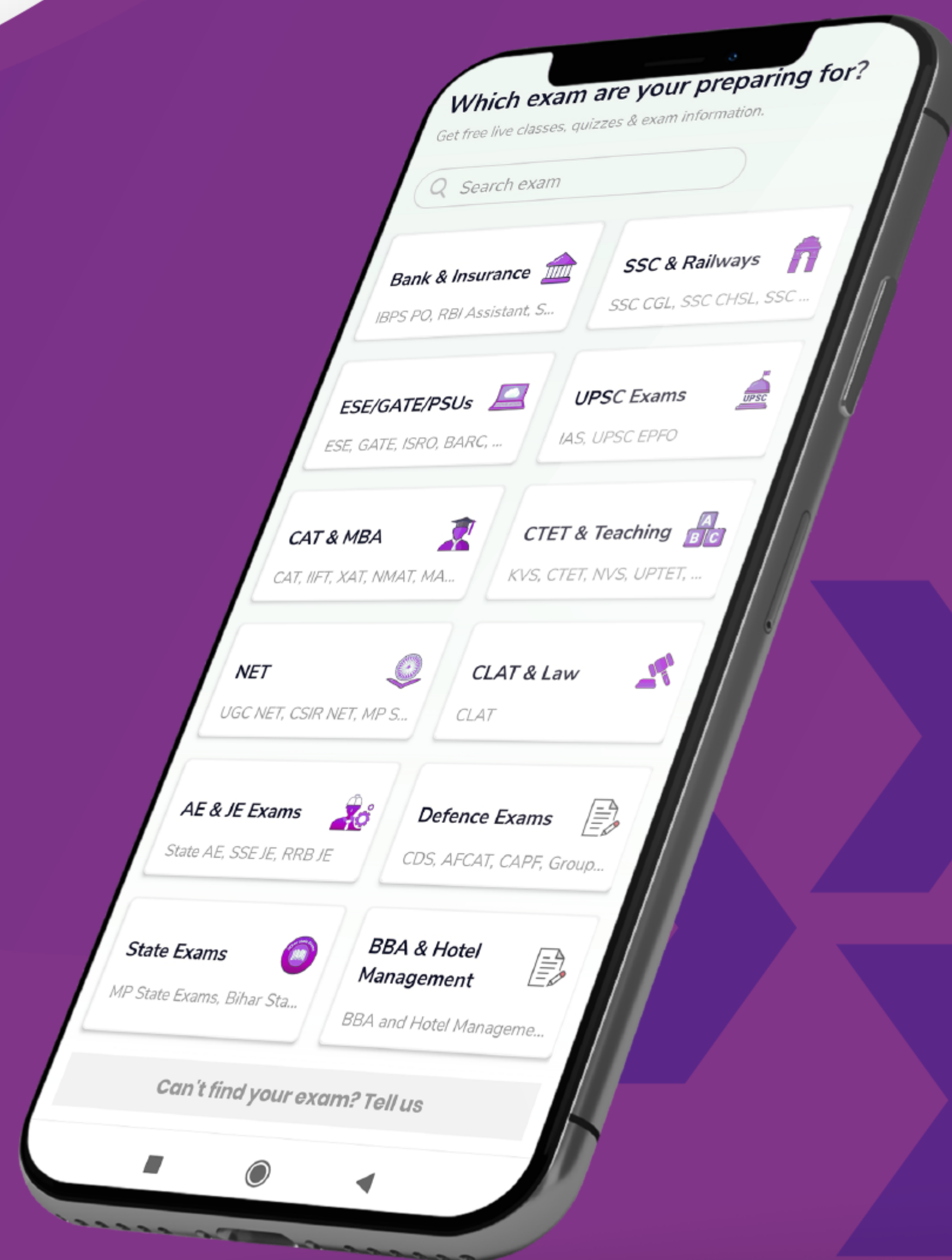
Pathway Across the rectangle

Pathway Across the rectangle

$$\text{Area of path} = (l + b - x)x$$

$$\text{Perimeter of path} = 2(l + b) - 4x = 2(l + b - 2x)$$



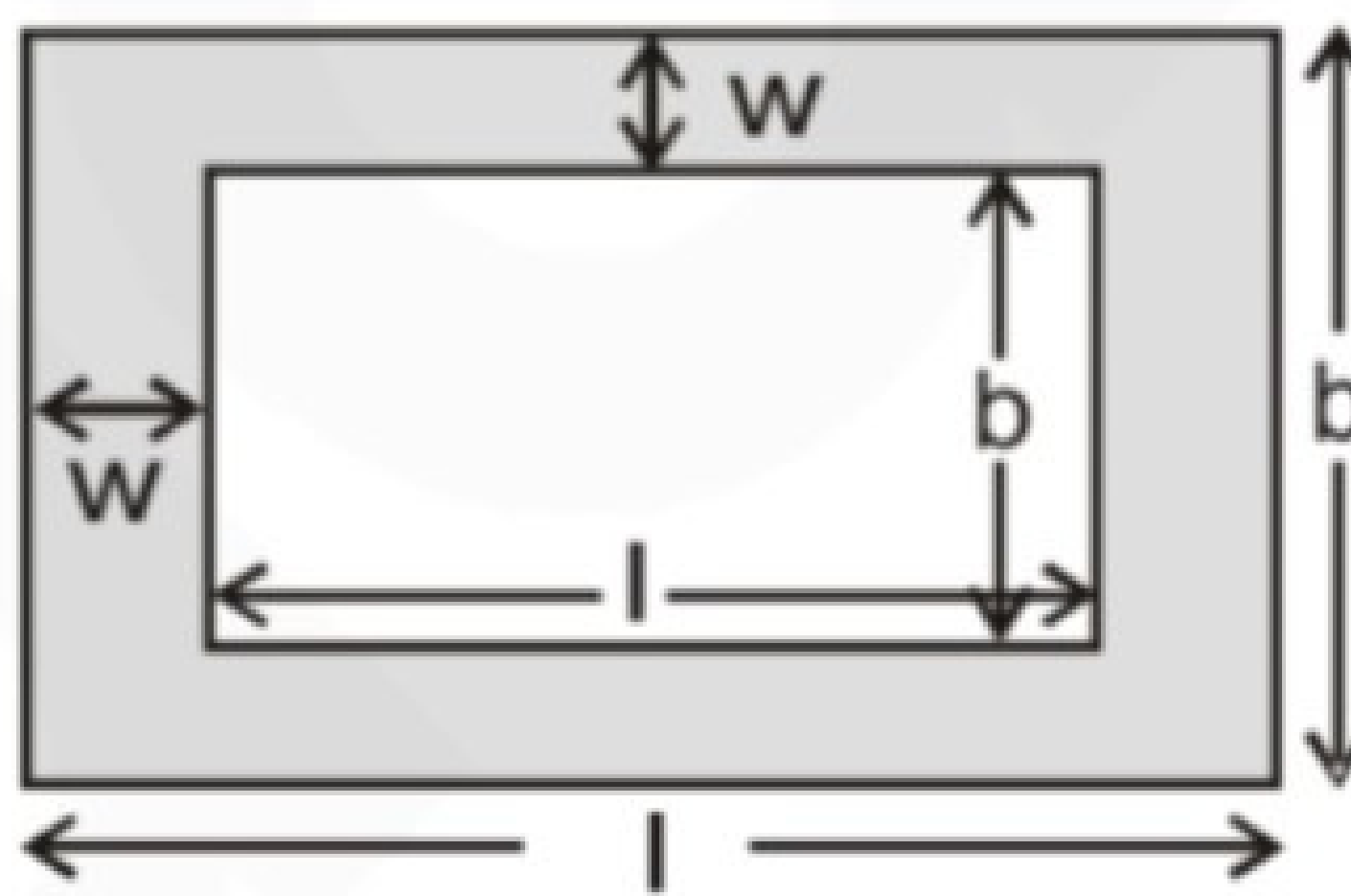


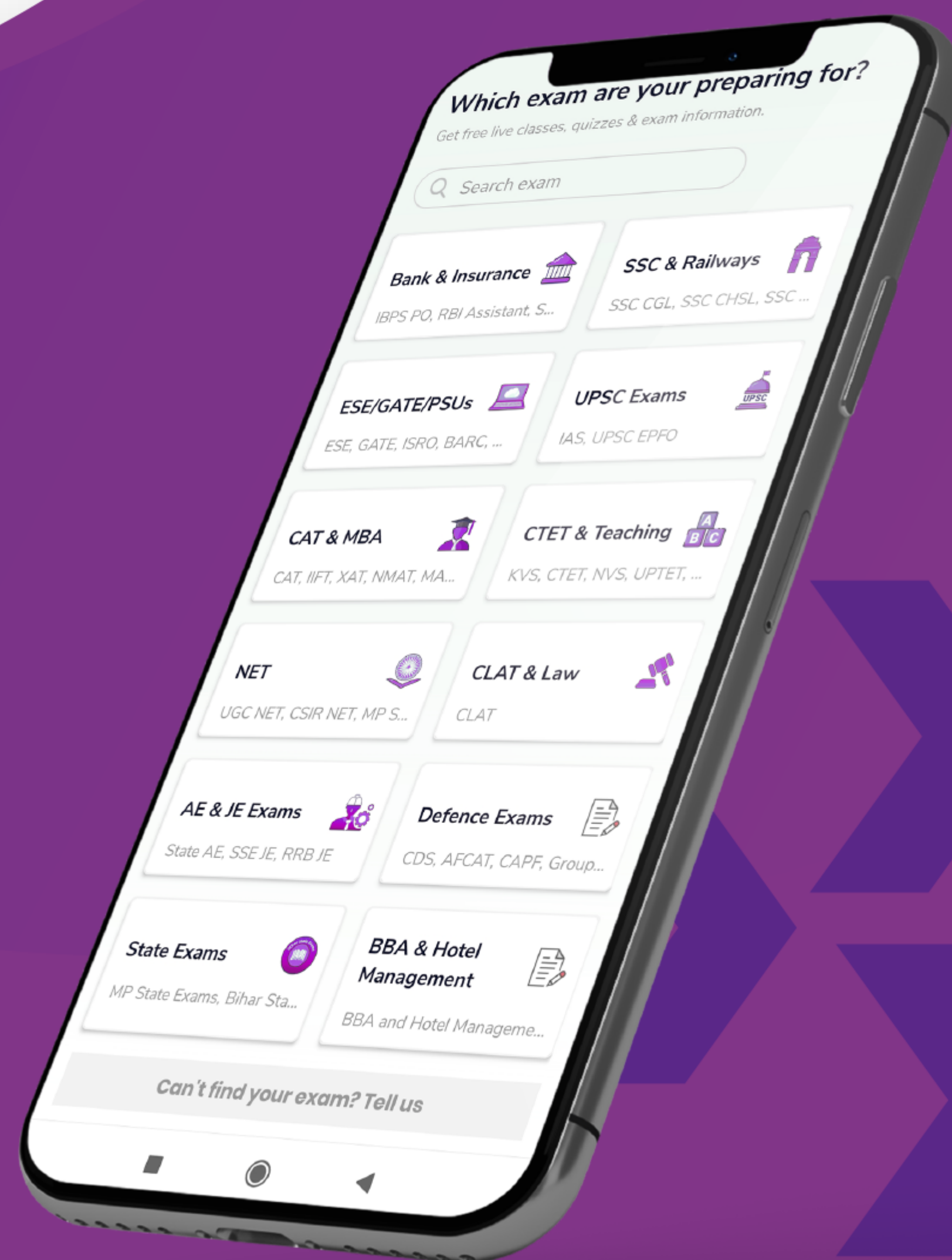
Pathways around a rectangular space:

Outer pathways:

(i) Area = $(l + b + 2w)2w$

(ii) Perimeter = outer perimeter + inner perimeter = $2(l + b) + 2(l + b + 4w) = 4(l + b + 2w)$

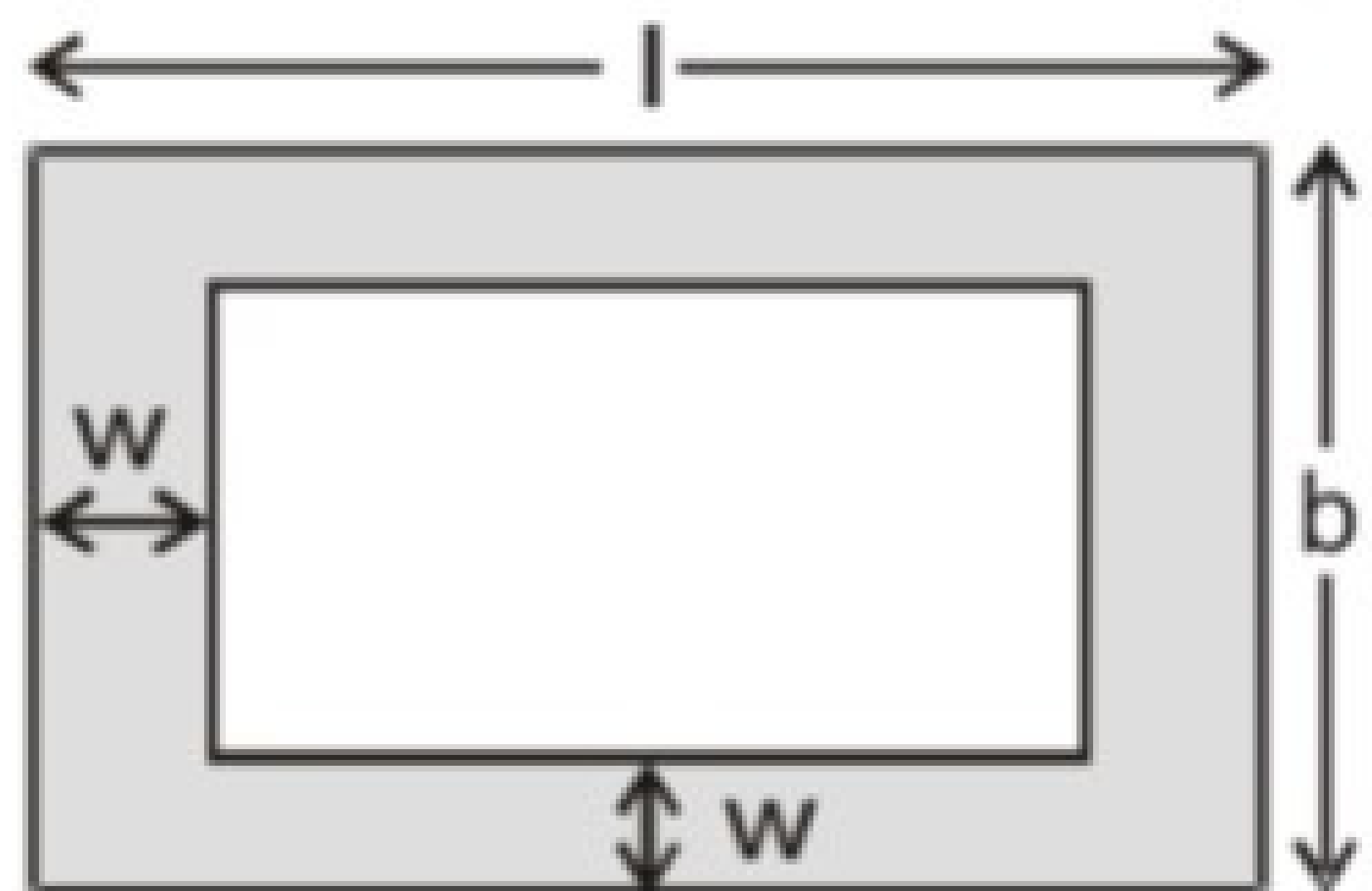


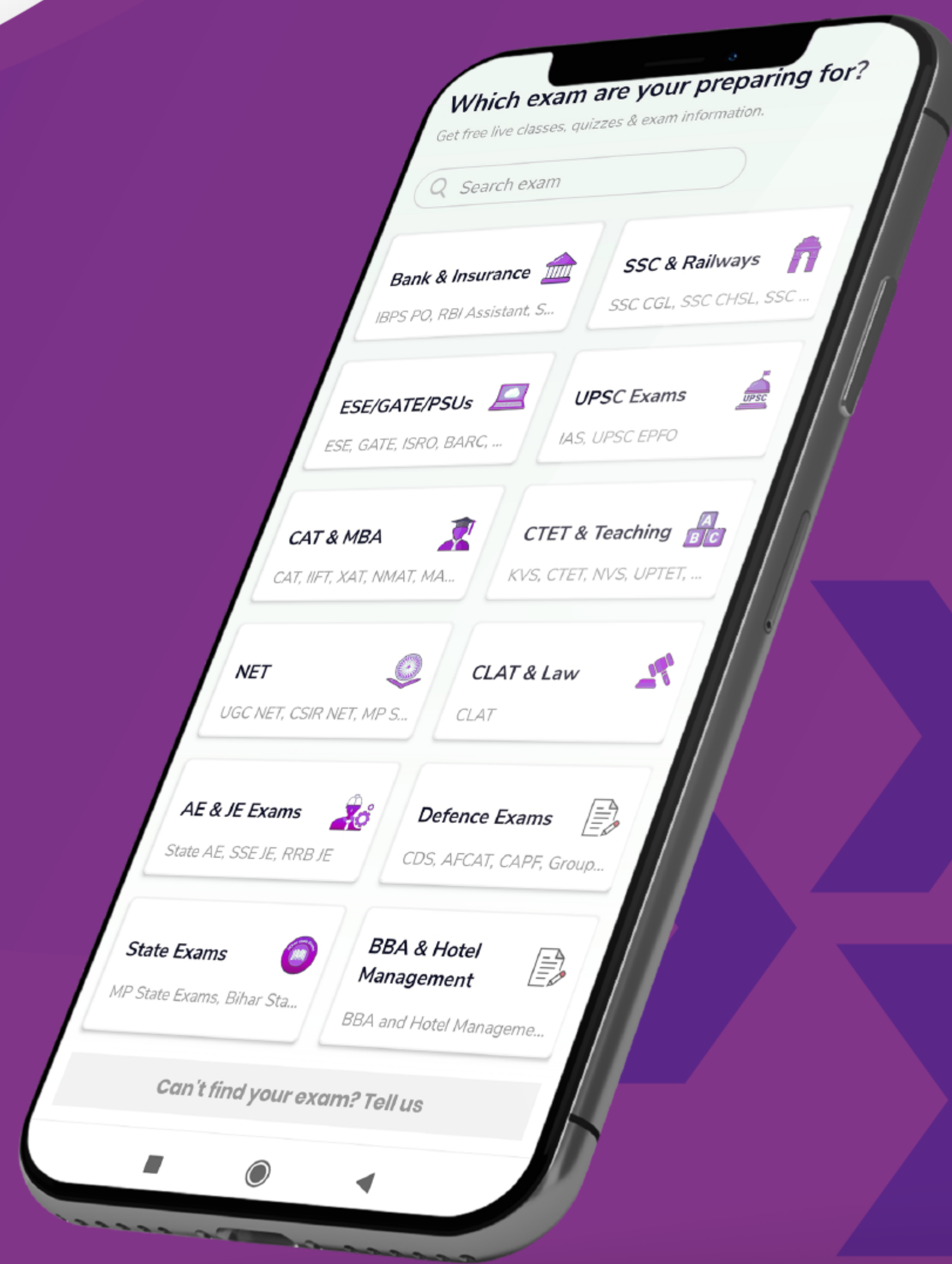


Inner Pathways:

$$\text{Area of the path} = (l + b + 2w)2w$$

$$\text{Perimeter} = 2(l + b) + 2(l + b - 4w) = 4(l + b - 2w)$$

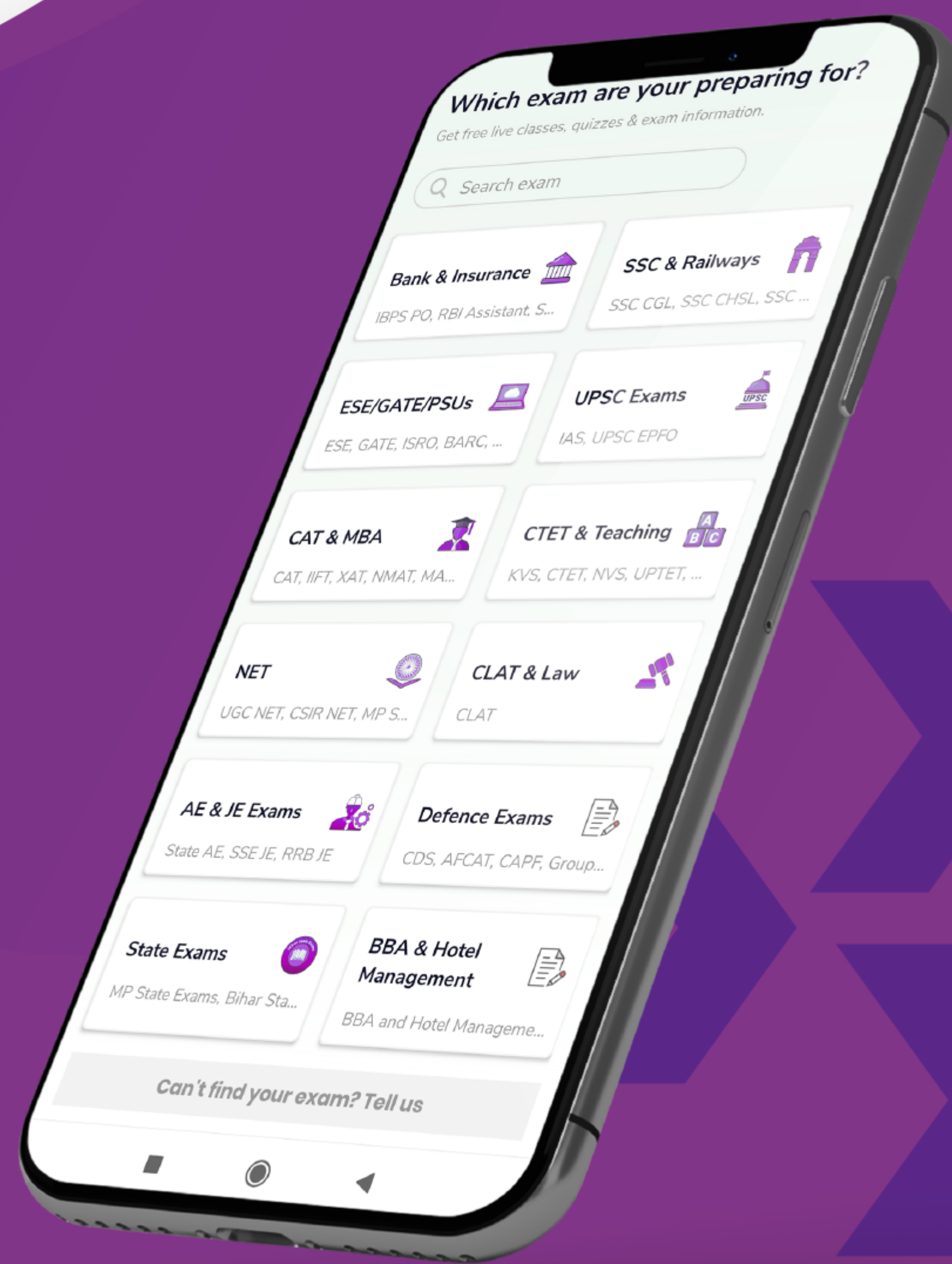




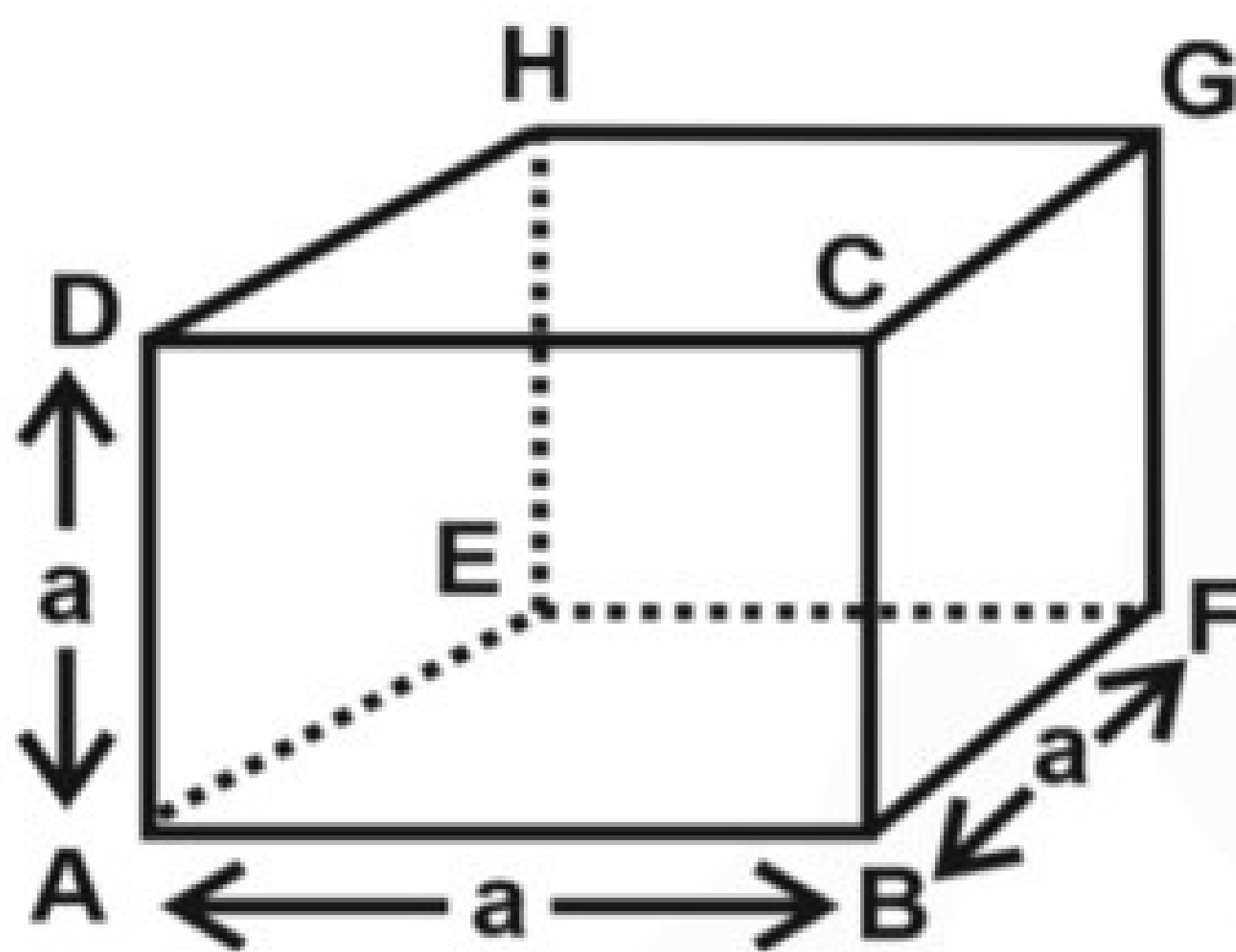
CUBOID

If l , b , and h represent Length, Breadth, and Height of the cuboid respectively.

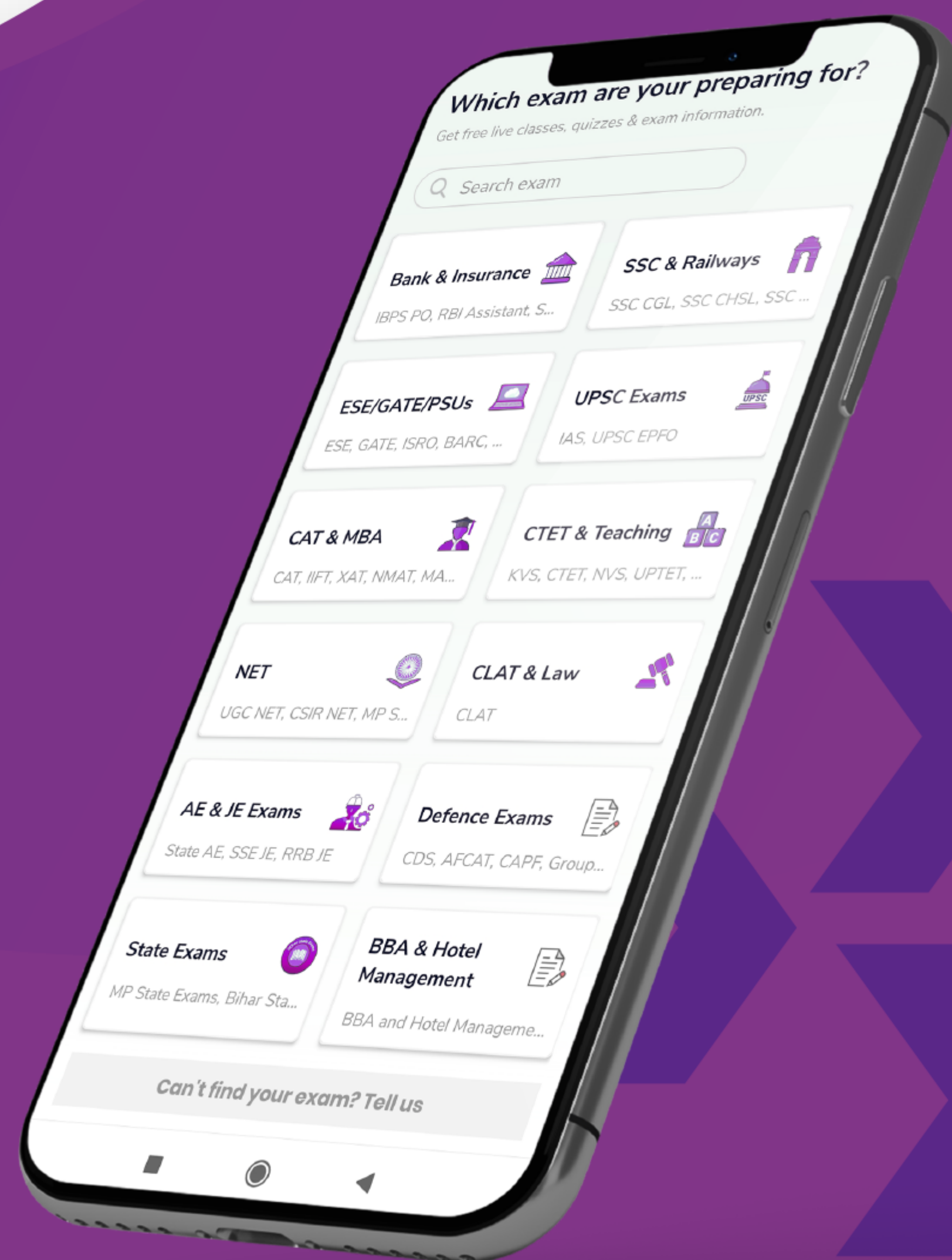
- Total surface area of cuboid = $2(lb + bh + lh)$
- Length of diagonal of cuboid = $\sqrt{l^2 + b^2 + h^2}$
- Volume of cuboid = $l \times b \times h$
- If area of faces of cuboid are x , y and z then volume of cuboid = \sqrt{xyz}



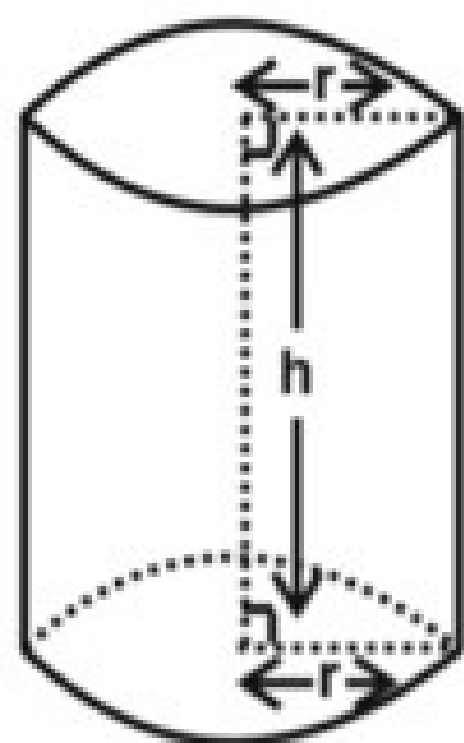
CUBE



- Volume of cube = **(Side)³ = a³**
- Total surface area of cube = **6 × (Side)² = 6a²**
- Length of Leading Diagonal of Cube = **$\sqrt{3} \times \text{side} = a\sqrt{3}$**

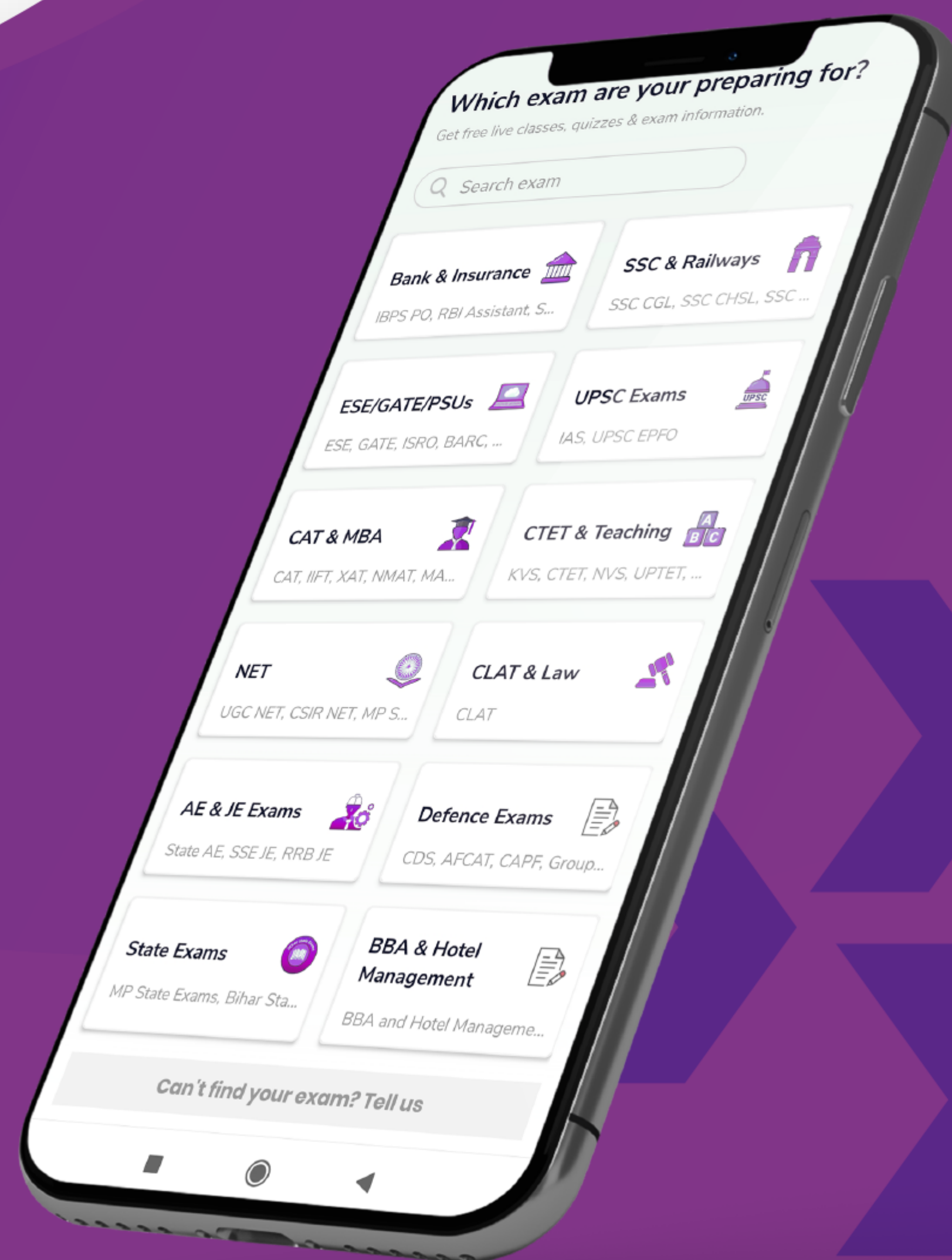


CYLINDER

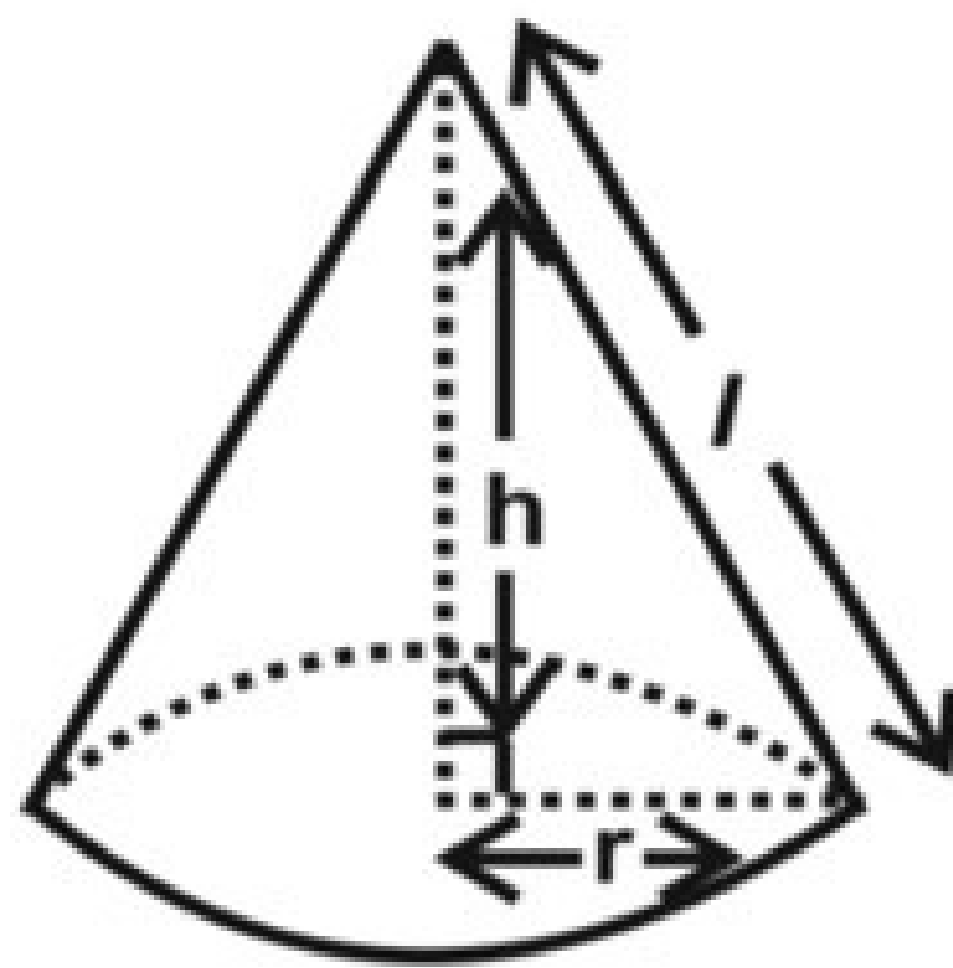


If, *r and h* represent radius of the base of the cylinder and Height of the cylinder respectively.

- Curved surface area of a cylinder = $2\pi rh$
- Total surface area of a cylinder = $2\pi r(r + h)$
- Volume of a cylinder = $\pi r^2 h$

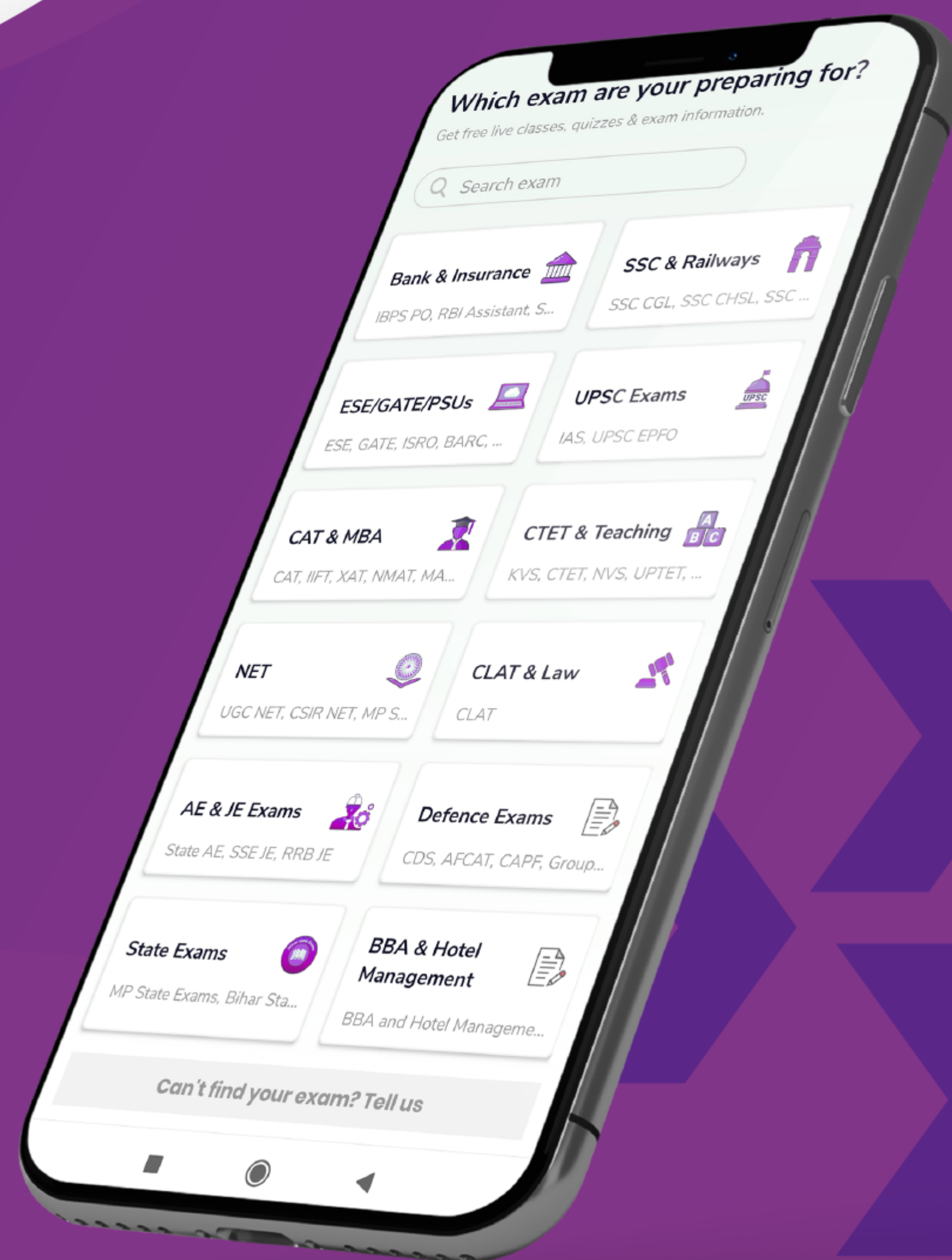


CONE

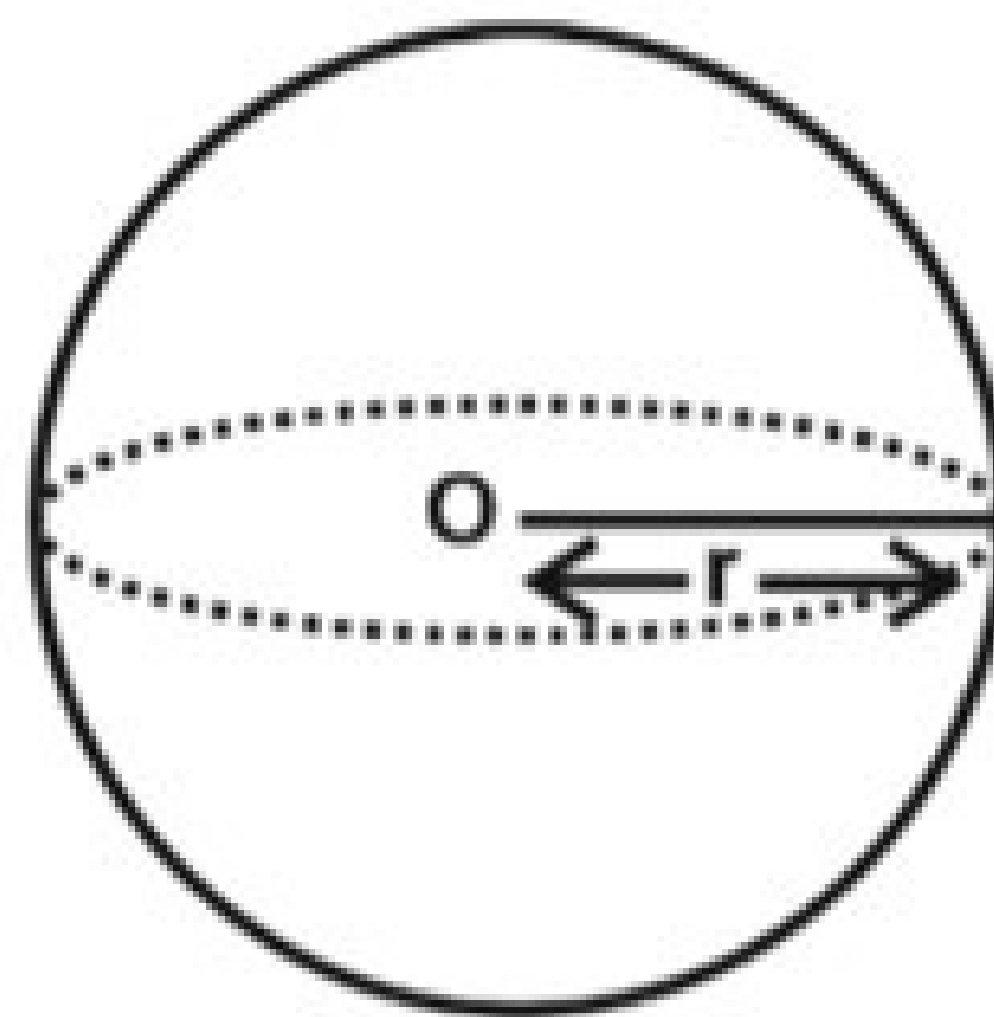


If, r , h and l represent radius of the base of the cone, Height of the cone, and Slant height of the cuboid respectively.

- Slant height of a cone = $l = \sqrt{h^2 + r^2}$
- Curved surface area of a cone (C. S.A.) = $\pi \times r \times l$
- Total surface area of a cone (T. S.A.) = $\pi \times r \times (r + l)$
- Volume of right circular cone = $\frac{1}{3} \times \pi r^2 h$

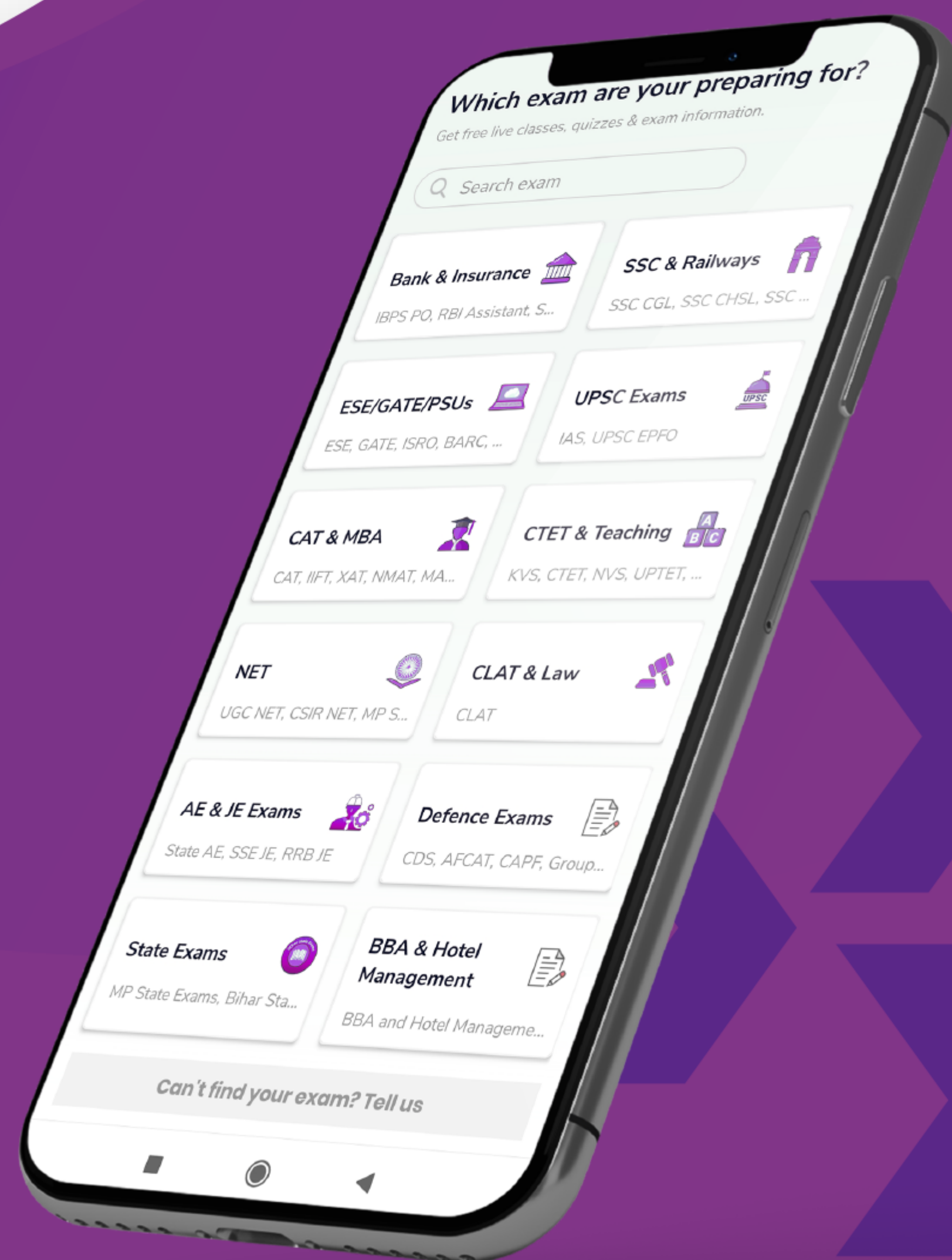


SPHERE

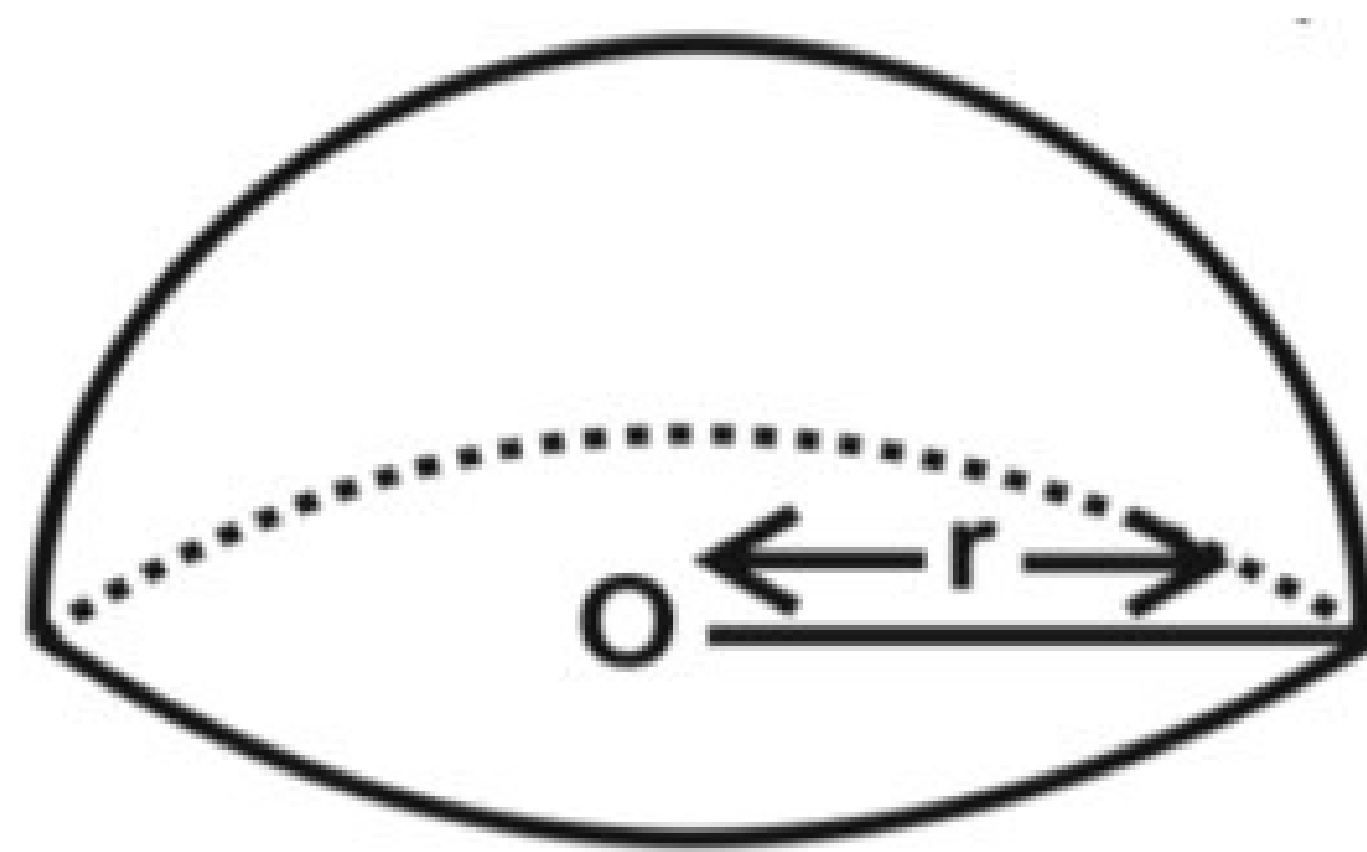


• Surface area of a sphere = $4\pi r^2 = \pi d^2$

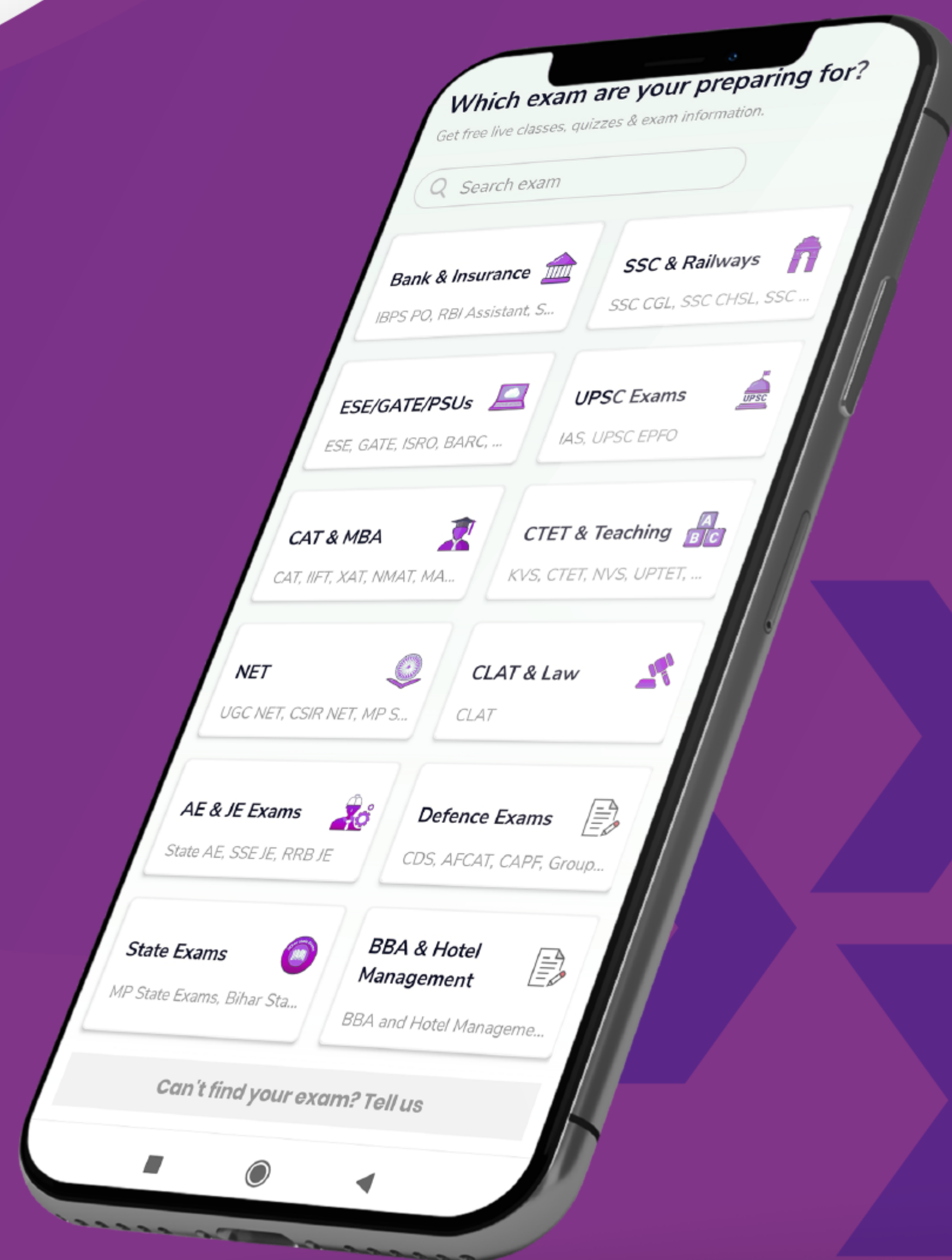
• Volume of a sphere = $\left(\frac{4}{3}\right)\pi r^3$



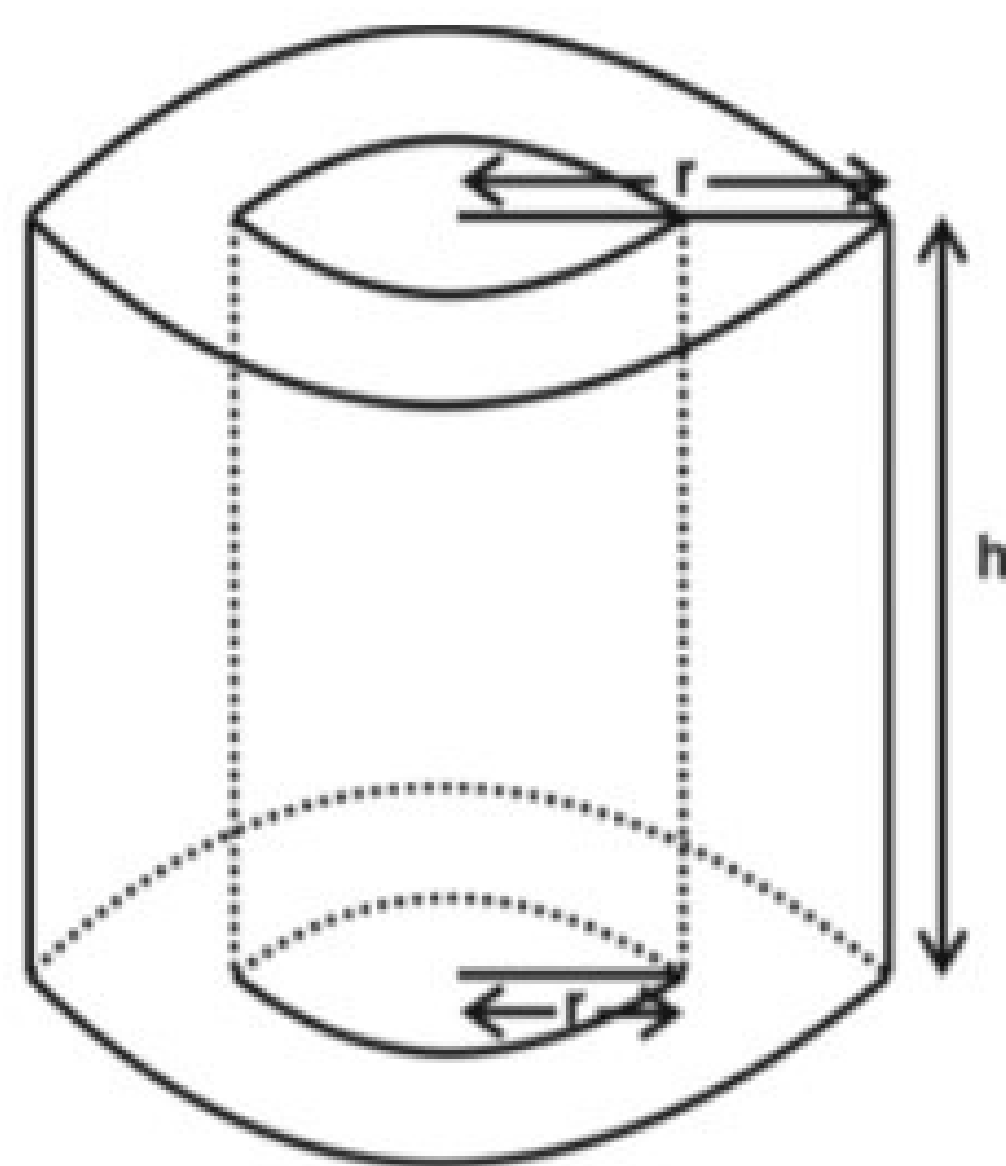
HEMISPHERE



- Volume of a hemisphere = $\left(\frac{2}{3}\right)\pi r^3$
- Curved surface area of a hemisphere = $2\pi r^2$
- Total surface area of a hemisphere = $3\pi r^2$

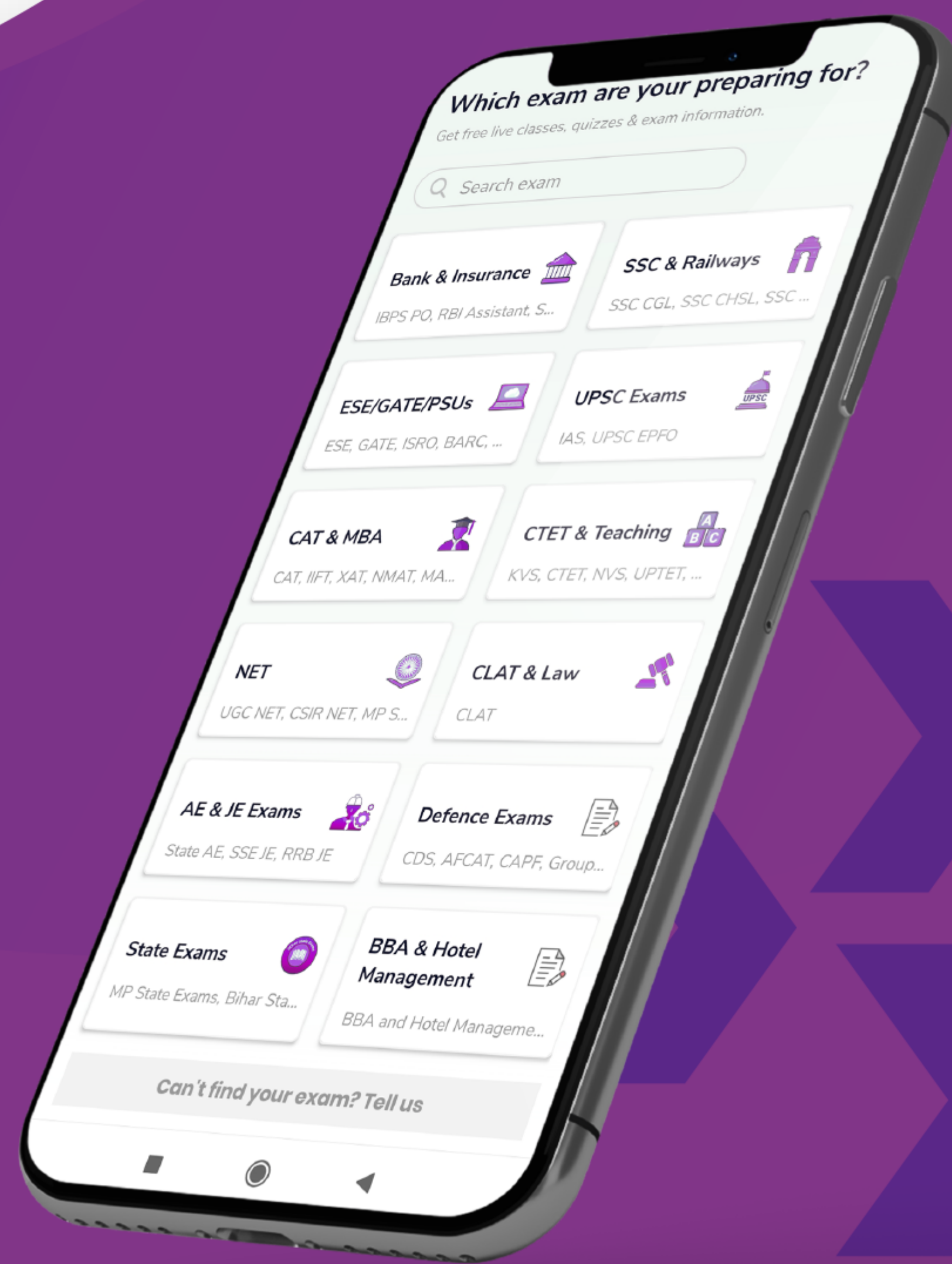


HOLLOW CYLINDER



If R , r and h represent Outer radius of cylinder, Inner radius of cylinder and Height of hollow cylinder respectively.

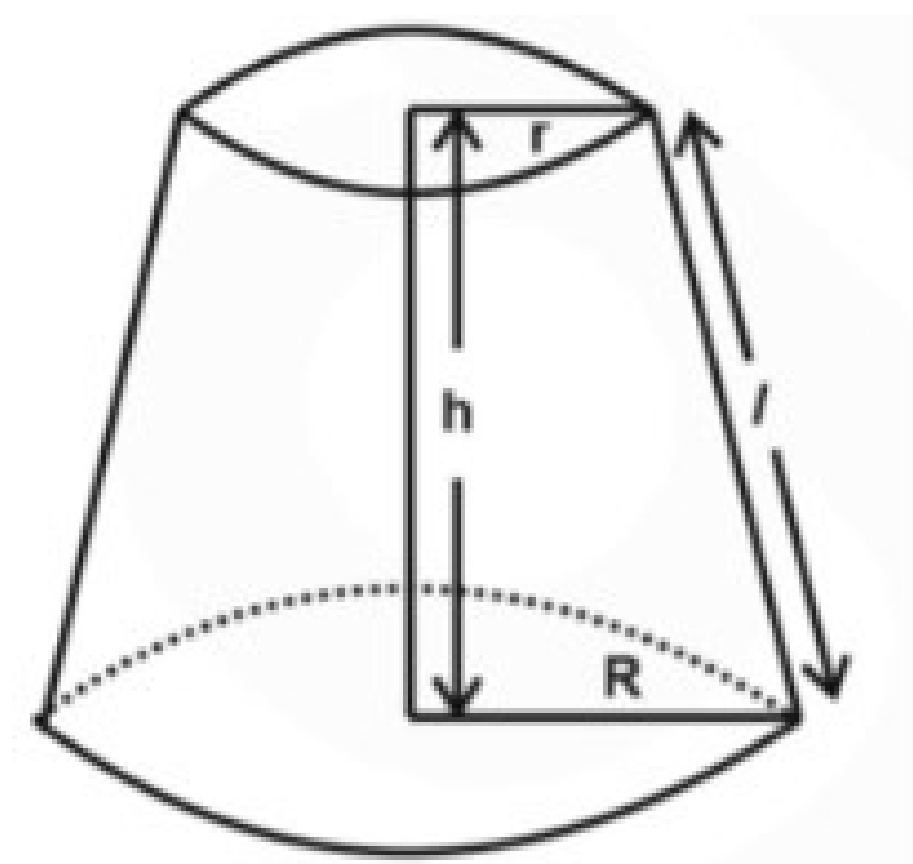
- Volume of hollow cylinder = $\pi(R^2 - r^2)h$

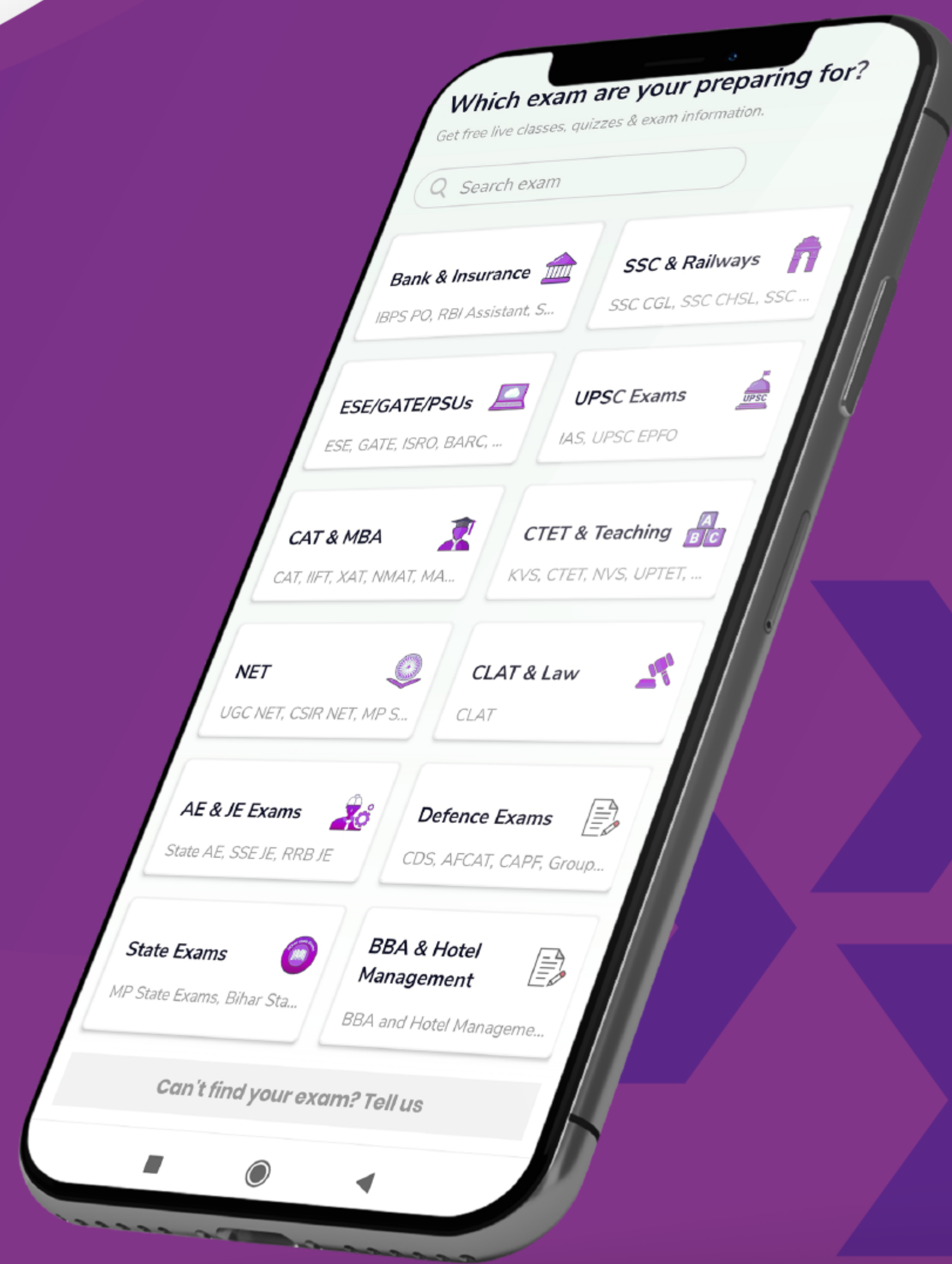


FRUSTUM OF A CONE

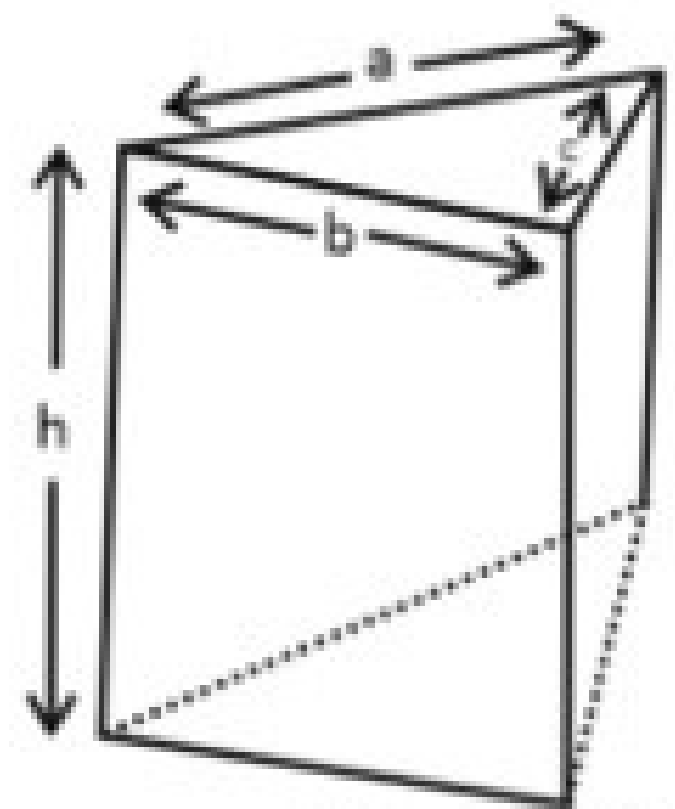
If, R , r , h and l represent radius of the base of the frustum, radius of the top of the frustum, height of the frustum, and slant height respectively.

- Slant height of the frustum $l = \sqrt{h^2 + (R - r)^2}$
- Curved surface area of frustum $= \pi(R + r)l$
- Total surface area of frustum $= \pi(R + r)l + \pi(R^2 + r^2)$
- Volume of the frustum $= \left(\frac{1}{3}\right)\pi h(R^2 + r^2 + Rr)$



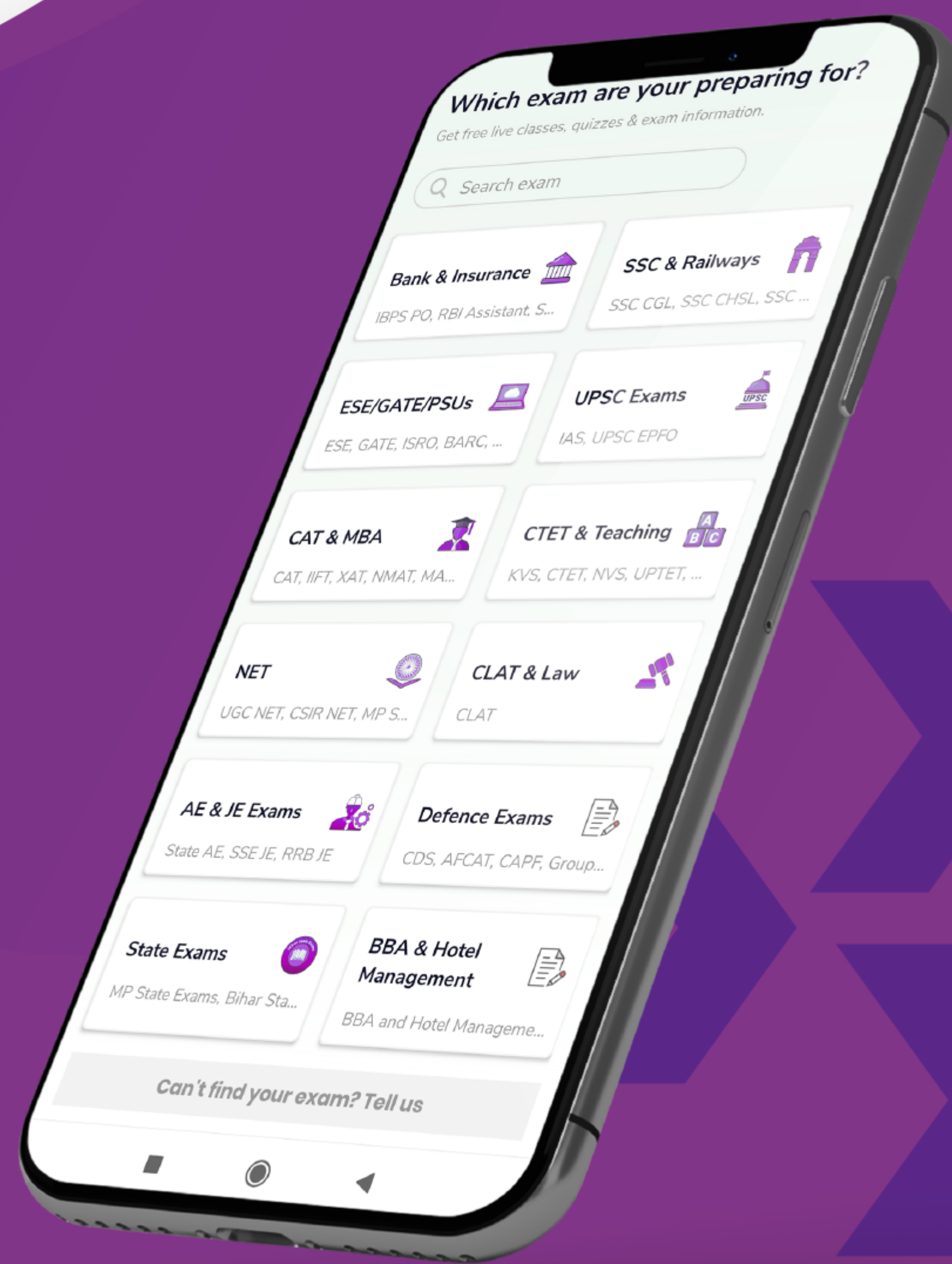


PRISM



Triangular Prism

- Volume of prism = Base area \times height
- Lateral surface area of prism = perimeter of base \times height
- Total surface area of prism = Lateral surface area + (2 \times base area)



PYRAMID

- Total surface area of pyramid =

base area + (number of side $\times \frac{1}{2} \times$ slant height \times base length)

- Volume of pyramid = $\left(\frac{1}{3}\right) \times$ **area of base \times heigh**

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