## gradeup

## GATE 2020

## Computer Science

 \& Information Technology
## Solution

## GENERAL APTITUDE

1. 

Ans. B
Sol.


Radius of inner circle $=a$
Radius of outer circle $=b$
Radius of small circle $=\frac{b-a}{2}$
area of donut shaped figure $=n\left(b^{2}-a^{2}\right)$
Area of each small circle $=\pi\left(\frac{b-a}{2}\right)^{2}$
total area of all small circle $=n \pi\left(\frac{b-a}{2}\right)^{2}$
Area of remaining portion
$=\pi\left(b^{2}-a^{2}\right)-n \pi\left(\frac{b-a}{2}\right)^{2}$
$=\pi\left[\left(b^{2}-a^{2}\right)-\frac{n}{4}(b-a)^{2}\right]$
2.

Ans. B
Sol. Billions of people are affected by melting glaciers.
3.

Ans. D
Sol. His knowledge of the subject was excellent, but his classroom performance was extremely poor.
4.

Ans. D
5.

Ans. A
Sol. $P=3^{1}$
$Q=3^{2}=9$
$R=3^{3}=27$
$S=3^{4}=81$
$\mathrm{T}=3^{5}=243$
So, $\mathrm{Q}+\mathrm{S}=9+81=90$
6.

Ans. B
Sol. GST is imposed at the point of usage of goods and services.
7.

Ans. A
Sol. within, for
8.

Ans. D
Sol. Flying
9.

Ans. A
Sol. Total expenditure $=2500$ million
Total revenue $=3000$ million
profit $\%=\frac{500}{2500} \times 100$
profit \% = 20
10.

Ans. D
Sol.


$$
\begin{aligned}
& \text { Source (1), Destination (2) } \\
& \text { from Node (1) shortest is (1) } \rightarrow \text { (f) } \\
& \text { From } f \text { (e) cost } 100 \\
& \text { f) } \rightarrow \text { (b) cos } 0 \\
& \text { So, (f) } \rightarrow \text { (b) is selected. } \\
& \text { Then (b) } \rightarrow \text { (2) is selected } \\
& \Rightarrow \text { so, (1) } \rightarrow \text { (f) } \rightarrow \text { b } \rightarrow \text { (2) }
\end{aligned}
$$

## TECHNICAL

1. 

Ans. 19
Sol.

base address of $a=1000$
"*" $\rightarrow$ has higher precedence the " + "

* $\left(*\left(a+{ }^{* *} a+2\right)+3\right)$

$\left.{ }^{*}\left({ }^{*}(a+1+2)+3\right)\right)$
$*(* \underset{\downarrow}{(a+3)}+3) \equiv a[4][4] \equiv 19$
skip the first 3 rows entirely

2. 

Ans. 5
Sol.


MUX: $2^{n}$ inputs, $n$ selection lines, $1 \mathrm{o} / \mathrm{p}$

$$
2^{n}=32 \quad \Rightarrow n=5
$$

## 3.

Ans. A
Sol. Insertion of an element into AVL requires $\mathrm{O}(\log n)$ time.
To insert an element

1. Find the position, where to insert
2. After insertion, to satisfy AVL properly, we may need to perform rotation.

So, (1) take 'log $n$ time' and (2) take 'log $n$ ' time.
Total time for inserting one element into AVL tree is
$\log n+\log n=2 \log n \Rightarrow O(\log n)$.
Now, To insert $n^{2}$ elements $\Rightarrow n^{2} \log n$
$\Rightarrow \mathrm{O}\left(\mathrm{n}^{2} \log \mathrm{n}\right)$
4.

Ans. B
Sol. Let $L_{1}=a^{n} b^{n} \Rightarrow C F L$
$L_{2}=\Sigma^{*} \Rightarrow$ Regular
$L_{1} \cup L_{2}=\left(a^{n} b^{n}\right) \cup \Sigma^{*}=\Sigma^{*} \Rightarrow$ Regular
Since $L_{1} \cup L_{2}$ is regular but $L_{1}$ is not regular, Hence statement $I$ is false.
Regular language is not closed under infinite union.
Hence, statement-II is also false.
$\therefore$ Neither I nor II is true.
5.

Ans. A
Sol. Let us consider a new process required 120 kb memory and existing holes in the memory are $200,300,150 \mathrm{~kb}$ as shown in the diagram in the same order.


Now, when we allocate, this new process a memory using different algorithms, it would be like given below

| Algorithm | Allocated partition | size of new tube |
| :--- | :--- | :--- |
| First Fit | 200 KB | 80 KB |
| Best Fit | 150 KB | 30 KB |
| Worst Fit | 300 KB | 180 KB |
| Next Fit | 300 KB | 180 KB |

6. 

Ans. 1034

Sol. Byte addressable 1 KB RAM
$\Rightarrow 2^{10}$ bytes
$\mathrm{m}=10$
$n=2^{m}$
$\mathrm{m}=10, \mathrm{n}=1024$
so, $m+n=1024+10=1034$
7.

Ans. B
Sol. Statement 1: False, Because, Intermediate router may modify fields like TTL, offset checksum.

Statement 2: True, router may not implement routing protocol, for static routing.
Statement 3: False, It is not mandatory to reassemble.
8.

Ans. (7)
Sol. $S \rightarrow$ aSB
$\rightarrow$ aaSBB [S $\rightarrow$ aSB]
$\rightarrow$ aaaSBBB [S $\rightarrow$ aSB]
$\rightarrow$ aaadBBB [S $\rightarrow$ d]
$\rightarrow$ aaadbBB [B $\rightarrow$ b]
$\rightarrow$ aaadbbB [B $\rightarrow \mathrm{b}]$
$\rightarrow$ aaadbbb [B $\rightarrow$ b]
Total 7 steps required.
9.

Ans. B
Sol.


Result

| S.no | S name |
| :---: | :---: |
| $\mathbf{S}_{1}$ | $\mathrm{M} / \mathrm{s}$ Royal Furniture |
| $\mathrm{S}_{2}$ | $\mathrm{M} / \mathrm{s}$ Balaji Furniture |
| $\mathbf{S}_{3}$ | $\mathrm{M} / \mathrm{s}$ Premium Furniture |
| $\mathbf{S}_{3}$ | $\mathrm{M} / \mathrm{s}$ Premium Furniture |

Therefore 4 rows returned by the above query.
10.

Ans. B
Sol.

11.

Ans. (13.5)
Sol. Cache Memory = 1 MB
Word size $=64$ bit $=8 \mathrm{~B}$
Block size $=256$ B
Hit rate, $x=0.94$ miss rate $=1-x=0.06$
Cache access time, Tc $=3 \mathrm{~ns}$
Number of words $/$ Block $=256 / 8=32$
Using Hierarchical Approach,
Tavg $=(x . T c)+(1-x)\left[\right.$ Tc $+1^{\text {st }}$ word access time + remaining word access time $]$
$\operatorname{Tavg}=(0.94 \times 3)+(1-0.94)[3+20+(31 \times 5)]$
Tavg $=13.5 \mathrm{~ns}$
12.

Ans. 0.125
Sol. No. of relation on $A=2^{9}$
No. of reflexive relation on $A=2^{\wedge}\left(n^{2}-n\right)=2^{\wedge}\left(3^{2}-3\right)=2^{6}$
$\therefore$ Probability (reflexive) $=\frac{2^{6}}{2^{9}}=\frac{1}{8}=0.125$
13.

Ans. B
Sol.


## 1,2,4 are True

14. 

Ans. A
Sol. Given steps:

1. $\mathrm{R}_{2 \mathrm{r}}$, TEMP $^{1}{ }_{r}$, ALU $_{\text {add }}$, TEMP $^{2}$ w
2. $\mathrm{R}_{1 \mathrm{r}}, \mathrm{TEMP}^{1} \mathrm{w}$
3. $\mathrm{PCr}_{r}, \mathrm{MAR}_{\mathrm{w}}, \mathrm{MEM}_{\mathrm{r}}$
4. TEMP $^{2}$ r, ROw
5. MDRr. IRw

Instruction fetch is first step to be done which is indicated by step 3 and 5

$$
\begin{aligned}
& 3 \text { Pc }_{\mathrm{r}} \text { MAR }_{\mathrm{w},} \text { MEM }_{\mathrm{r}} \\
& 5 \text { MDR }_{\mathrm{r}}, \text { IR }_{\mathrm{w}}
\end{aligned} \Rightarrow\left\{\begin{array}{l}
\text { MAR } \longleftarrow \mathrm{PC} \\
\text { IR } \longleftarrow \text { Read (MAR) } \\
\text { IR } \longleftarrow \text { MDR }
\end{array}\right.
$$

Then instruction decoded by cu and then operand fetch should be performed. If is indicated with step 2 and operand fetch and perform operation by step 1

4. Now, write result operations should be performed. It is indicated by step 4 as result should be in $\mathrm{R}_{0}$.

Step 4:

$$
\text { TEMP }_{2 w}, \text { RO }_{w} \Rightarrow\left\{\begin{array}{l}
\text { TEMP }_{2} \longleftarrow \text { ALU (result) } \\
R_{0} \longleftarrow \text { TEMP }_{2}
\end{array}\right.
$$

Hence correct order of execution should be, 3, 5, 2, 1, 4
15.

Ans. 7
Sol. According to Lagrange's theorem, state that for any finite group G, the order (number of element) of every subgroup $t_{1}$ of $G$ divides the order of $G$. therefore, possible subgroup of group of 35 elements.
$\{1,5,7,35\}$
16.

Ans. B
Sol. $T(n)=T\left(n^{\frac{1}{a}}\right)+1 \& T(b)=1$

$$
\begin{aligned}
T\left(n^{\frac{1}{a}}\right) & =T\left(\left(n^{\frac{1}{a}}\right)^{\frac{1}{a}}\right)+1 \& T(b)=1 \\
& =\left(T\left(n^{\frac{1}{a^{2}}}\right)+1\right)+1
\end{aligned}
$$

$$
T\left(n^{\frac{1}{a^{2}}}\right)=\left(T\left(\left(n^{\frac{1}{a^{2}}}\right)^{\frac{1}{a}}\right)+2\right)+1
$$

$$
=T\left(n^{\frac{1}{a^{3}}}\right)+3
$$

$$
\vdots
$$

$$
\mathrm{T}\left(\frac{1}{\mathrm{n}^{\mathrm{a}^{\mathrm{K}}}}\right)+\mathrm{K}
$$

$$
\Rightarrow \log _{\mathrm{a}} \log _{\mathrm{b}} n
$$

$$
\Rightarrow \mathrm{O}\left(\log _{\mathrm{a}} \log _{\mathrm{b}} \mathrm{n}\right)
$$

17. 

Ans. B

Sol. Statement I - False, symbol table can be accessed during any phase of compiler.
Statement II- False, For recursion support it is not necessarily be heap storage, as stack storage also supports recursion.

Statement III - False, "Variable must be declared before use" are detected during semantic analysis.

Hence, None of the statements is correct.
18.

Ans. 6
Sol. In non-persistent HTTP, each packet takes 2 RTT (Round trip Time): one for TCP connection, one or HTTP Text (Image file As, it is given text and 5 images that totals 6 objects.)

So, it takes 12 RTT in total. But,
12 RTT includes 6 HTTP connections + 6TCP connections.
So, the minimum number of TCP connections required is 6 .
19.

Ans. B
Sol. Statement I-- $L=\left\{a^{n} \mid n \geq 0\right\} \cup\left\{a^{n} b^{n} \mid n \geq 0\right\}$

```
                                    \downarrow \downarrow
                    Linear power, well know DCFL
```

$\therefore$ it is regular
$\therefore \mathrm{L}=$ Regular $u$ DCFL $\{$ use the closure properties $\}$
L = DCFL
Statement--III As we cannot write LL( k ) grammar, for any value of k, Hence statement III is correct.
20.

Ans. B
Sol. Eliminate the options.
--Option (A) is incorrect, it forces the string to start with 1 , we cannot generate strings like 01, 0111, ....
-- Option (C) is incorrect, it generates string ending with 1, so cannot generate strings like 10, 1110
-- Option (D), not always generates strings with odd 1's as it can generate 110 .
-- Options (B), is correct, as it can generate all the string with odd number of 1 's.
21.

Ans. (13)
Sol. Given Hash Function $\Rightarrow h_{1}(k)=k$ mod 23
$h_{2}(k)=1+(k \bmod 19)$
Table size $=23$
Key $=90$
h1 (k) $=90 \bmod 23 \equiv 21$
h2 $(k)=1+90 \bmod 19 \equiv 1+14=15$
Double hashing, (h1 (k) + i.h2(k)) mod 23
Asked for probe 1, put i = 1
$(21+1 .(15) \bmod 23$
$36 \bmod 23=13$
22.

Ans. D
Sol. (i) $e^{-x}$ is decreasing
(ii) $f(x)=x^{2}-\sin x$
$f^{\prime}(x)=2 x-\cos x$
Now check $f^{\prime}(x)$ at $[0,1]$
$f^{\prime}(0)=-1$
$f^{\prime}(1)=2-\cos 1=1.4596$
$\therefore \mathrm{f}(\mathrm{x})$ is not increasing everywhere
(iii) $f(x)=\sqrt{x^{3}+1}$
$f^{\prime}(1)=\frac{1}{2 \sqrt{x^{3}+1}} \times 3 x^{2}$
$f^{\prime}(x) \geq 0$ for all $x$.
$\therefore \mathrm{f}(\mathrm{x})$ is an increasing function.
23.

Ans. C
Sol. Inserting an element at the beginning of the linked list takes $O(1)$ time. But, If it needs to be sorted, then in the worst case, it takes (lo gi) time using merge sort. To insert such n elements and make sure it is in sorted order, the worst case time complexity would be O ( n $\log n)$.
24.

Ans. A
Sol.
Step-1 15

Step-2


Step -3


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Step-4


Step-5


Post order: 11, 12, 10, 16, 19, 18, 20, 15
25.

Ans. C
Sol. Statement 1: True, Daisy chaining assign non-uniform priorities in attending interrupts.
Statement 2: False, A vectored interrupt means, CPU knows the source of the interrupt.
Statement 3: True, polling technique makes CPU to periodically verity states bits and service for need

Statement 4: False: During DMA also, CPU will have master control over the bus. (OR) IOP (I/O processor) and CPU can be mastered but not at the same time.

Hence, I and III are true
26.

Ans. C
Sol. $L_{1} L(m)=\varphi \Rightarrow$ emptiness problem of TM.
TM is undecidable under emptiness.
$L_{2}=$ where a TM visits a particular state in finite steps in decidable, as we can do this with UTM.
$L_{3}=L(m)$ is non-Recursive,


Clearly from the diagram
$L(A) \Rightarrow$ non recursive language accepted by TM
$L(B) \Rightarrow$ non-recursive language not accepted by TM.
$\therefore$ it is a non-trivial property, hence undecidable.
$\mathrm{L}_{4}=$ Undecidable problem using rice-theorem.
Hence, $L_{1}, L_{3}$, and $L_{4}$ are undecidable.
27.

Ans. 44 KB
Sol. TCP connections at $t=0$
$1 \mathrm{MSS}=2 \mathrm{~KB}$ Threshold $=32 \mathrm{~KB}$ (slow start)
RTT $=6 \mathrm{~ms}$. Then how big packet it (packet size) may deliver after $\mathrm{t}+60 \mathrm{~ms}$

$1-2-3-4-5-6-7-8-9-10-11$
$1 \mathrm{RTT}=6 \mathrm{~ms}$
$\Rightarrow 10 \mathrm{RTT}=60 \mathrm{~ms}$
$\mathrm{t}+60=0+60=60 \mathrm{~ms}$
At $60 \mathrm{~ms}, \mathrm{CWND}=22 \mathrm{MSS}$
$1 \mathrm{MSS}=2 \mathrm{~KB}$

$$
\Rightarrow 22 \mathrm{MSS}=22 \times 22=44 \mathrm{~KB}
$$

28. 

Ans. A
Sol. No. of host $=1500$
No. of host bits $=\left[\log _{2} 1500\right]=11$ bits
$\therefore$ Total possible hosts $=2^{11}=2^{3} \times 2^{8}$
n is the netmask bits,
Range of addresses is $=2^{32-n}$

$$
2^{11}=2^{32-n}
$$

Available IP address $\Rightarrow$ 202.61.0.0/17
$\left.\begin{array}{l}\left.\begin{array}{l}00000000.00000000 \\ 00000111.11111111\end{array}\right\} 0.0-7.255 \\ 00001000.00000000 \\ 00001111.11111111\end{array}\right\} 8.0$ to 15.255

So the IP address follow the pattern
0.0 to 7.255
8.0 to 15.255
16.0 to 23.255
$\vdots$
64.0 to $\ldots$
$\quad \vdots$
104.0 to $\ldots$
$\therefore$ The possible IP addresses are 202.61.64.0/21 \& 202.61.104.0/21
29.

Ans. B
Sol. R has a nontrivial functional dependency $X \rightarrow A$, where $X$ is not a sup and $A$ is a prime attribute.
30.

Ans. D
Sol. $\quad R_{2}(B)$ is conflicting with $W_{1}(B)$ so, $W_{1}(B)$ should always come after $R_{2}(B)$
$W_{2}(B)$ is conflicting with $W_{1}(B)$ similarly, $W_{1}(B)$ should always come after $W_{2}(B)$
$R_{2}(D)$ is conflicting with $W_{1}(D)$, so, $W_{1}(D)$ should always come after $R_{2}(D)$
$R_{1}(C)$ is conflicting with $W_{2}(C)$ so, $W_{2}(C)$ should always come after $R_{1}(C)$
Therefore the transaction will be:

| T1 | T2 |
| :---: | :---: |
|  | R(B) |
|  | W(B) |
| R(A) | $R(D)$ |
| R(C) |  |
| W(D) |  |
| W(B) |  |
|  |  |
| Commit |  |
|  | Commit |

31. 

Ans. 4
Sol. No. of records $=10^{6}$
Block size $=8 \mathrm{~KB}$
Search key $=13$ bytes
Block pointer size $=8$ bytes
Balancing factor og index file $=\left[\frac{\text { Block size }}{\text { search key }+ \text { Blcok pointer }}\right]$

$$
=\left[\frac{4 \mathrm{~KB}}{12+8}\right]=\left[\frac{2^{12}}{20}\right]
$$

Balancing Factor of index file $=204$


1-Block access
from DB
Total Block access $=1+3=4$
32.

Ans. B
Sol. IEEE-754 single precision floating point format

$R 1: 0 \times 42200000 \Rightarrow 0100000100010000000000000 \ldots$
R1 : $0 \times \mathrm{C} 1200000 \Rightarrow 11000001001000000000 \ldots$
R3 :

| 0 | 100 | 00100 |
| :---: | :---: | :---: |
|  | $010000 \ldots$ |  |
| S | BE | $M$ |

R2: $\quad$| 0 | 1000 | 0010 |
| :---: | :---: | :---: |
|  | $010000 \ldots$ |  |
|  | BE | M |

Need to perform R3 $=\frac{R 1}{R 2}$

1. Actual exponent $=$ R1 exponent - R2 exponent

10000100
$\frac{10000010}{00000010}$
AE: 00000010
In IEEE-754, Bias $=\underline{2^{n-1}}-1=2^{8-1}-1=127$
Bias $=01111111$
$B E=A E+B i a s$
AE:0000 0010
Bias:0111 1111

BE :1000 0001
2. Divide the Mantissa of R1 by R2.

| $M_{R 1}: 1.0100 \ldots$ |
| :---: |
| $M_{R 2}: 1.0100 \ldots$ |
| Mantissa <br> result is all <br> zero |

3. Sign of divisor and dividend is opposite,
$\therefore$ Result sign $=-$ ve. (1)

$\therefore \mathrm{R} 3=\mathrm{C} 0800000$
4. 

Ans. 5.25
Sol. Average turnaround time
$P_{1}=21, P_{2}=13, P_{3}=2, P_{4}=6$
Avg. $=\frac{21+13+2+6}{4}=\frac{42}{4}=10.5$

Average turnaround time
$P_{1}=18, P_{2}=21, P_{3}=10, P_{4}=14$
Avg. $=\frac{18+21+10+14}{4}=\frac{64}{4}=15.75$
Difference $=15.75-10.5=5.25$
34.

Ans. 55
Sol.
fun2(5)
$\downarrow$
Step-I

$0+\underset{ }{\downarrow}$| fun1(5) |
| :---: |
| $\downarrow$ |
| returns $(0+5)$ |


|  | fun2(4) |
| :---: | :---: |
|  | , |
| $\underline{\underline{\text { Step - } 2}}$ | $5+\operatorname{funi}(4)=5+(5+4)=14$ |
|  | $\downarrow \uparrow$ |
|  |  |
|  | fun2(3) |
|  | $\downarrow$ |
| Step - 3 | $14+$ funi $(3)=5+(5+4)+(5+4+3)$ |
|  | $\downarrow$ ¢ $=5+9+12=26$ |

returns 12

fun2(1)
$\downarrow$

$$
\begin{gathered}
\text { Step -5 } \quad 40+\text { fun2 }(1)=5+(5+4)+(5+4+3) \\
\downarrow \quad \uparrow \quad+(5+4+3+2)+(5+4+3+2+1) \\
\text { returns } 15 \quad=5+9+12+14=55
\end{gathered}
$$

35. 

Ans. A
Sol.


To find a number between range $[x, y]$ requires $\log n$ comparisons. As, $K$ numbers are to be found, $K+\log n$ would be time complexity.

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36. 

Ans. D
Sol. $d(A B)=d(A) \times d(B)$
$d(A+B) \geq d(A)+d(B)$
$r(A+B) \leq r(A)+r(B)$
$r(A B) \neq r(A) r(B)$
37.

Ans. 81
Sol. $\operatorname{PP}(3,4)=$ $\qquad$
PP function:


Len $=$ tob (b, arr)
tob functions:

$i=04>0$, (with $b=4$ )
if (4 \% 2) False, so else gets executed
So, $\operatorname{arr}[0]=0$,
if $\mathrm{t} b=\mathrm{b} / 2$
$\mathrm{i}=1 \quad 2>0$ (with $\mathrm{b}=2$ )
if (2 \% 2) false
So, else gets executed $\Rightarrow \operatorname{arr}[1]=0, i=i+t b=b / 2$
$\mathrm{i}=21>0$ (with $\mathrm{b}=1$ )
if (1 \% 2) True arr [2] = $1 \mathrm{i}+1, \mathrm{~b}=\mathrm{b} / 2$
$\mathrm{i}=30>0$ (with $\mathrm{b}=0$ ) false
return $I$, returns ' 3 ' to len, in PP function.
In PP function: len $=3$
For loop.

| $\mathrm{i}=0$ |  |  |
| :--- | :--- | :--- |
| $\mathrm{ex}=3 \times 3$ |  |  |
| $=9$ | $\mathrm{ex}=9 \times 3$ | $\mathrm{i}=2$ |
| $\mathrm{tot}=\mathrm{t} * \mathrm{t} * \mathrm{ex}$ |  |  |
| $=81$ | $=1 * 81=81$ |  |

38. Consider the following five disk access requests of the form (request id, cylinder number) that are present in the disk scheduler queue at a given time.

$$
(P, 155),(Q, 85),(R, 110),(S, 30),(T, 115)
$$

Assume the head is positioned at cylinder 100. The scheduler follows Shortest Seek Time First scheduling to service the requests.

Which one of the following statements is FALSE?
A. $T$ is serviced before $P$.
$B$. The head reverses its direction of movement between servicing of $Q$ and $P$
C. $R$ is serviced before $P$.
D. Q is serviced after S , but before T .

## Ans. D

Sol. Given P : 155
Q : 85
R: 110
S: 30
T: 115
Current head position $=100$
SSTF = algorithm


From the above sequence, we can say that option $D$ is correct.
39.

Ans. $L_{1}$ is regular and $L_{2}$ is CFL.
Sol. $L_{1}:\left\{\omega x y x \mid \omega, x, y \in(0+1)^{*}\right\}$
We can write the regular expression for this,
Let, $x=0$
$L_{11}=\omega 0 Y 0 \Rightarrow(0+1)^{+} 0(0+1)^{+} 0$
$x=1$
$\mathrm{L}_{12}=\omega 1$ Y $1 \Rightarrow$ we can generate all the strings and since a regular expression can be written for 4 , we can say 4 is regular.
L2 is CFL:
$L_{2}=\left\{x y\left|x, y \in(a+b)^{*},|x|=|y|, x \neq y\right\}\right.$
$L_{2}$ generates strings of even length, which can be done by PDA, therefore $L_{2}$ is CFL.
40.

Ans. 2.16
Sol. Non-pipeline
Clock frequency $=2.5 \mathrm{GHz}$.
Cycle time $=\frac{1}{2.5 \mathrm{GHz}}=0.4 \mathrm{~ns}$
Given, CPI $=5$

So, $\mathrm{ET}_{\text {non-pipe }}=\mathrm{CPI} \times$ Cycle time

$$
=5 \times 0.4 \mathrm{~ns}=2 \mathrm{~ns}
$$

Pipeline:
Clock frequency $=24 \mathrm{GHz}$
Cycle time $=\frac{1}{2 \mathrm{GHz}}=0.5 \mathrm{~ns}$

$\therefore$ Number of stalls/instruction $=0.3 \times 0.05 \times 50+0.1 * 0.5 \times 2$

$$
=0.85
$$

Avg. instruction $E T_{\text {pipe }}=(1+$ No. of stall instruction $) *$ cycle time

$$
=(1+0.85) \times 0.5 \mathrm{~ns}=0.925 \mathrm{~ns}
$$

$\mathrm{S}=\frac{E T_{\text {non-pipe }}}{E T_{\text {pipe }}}=\frac{2}{0.925}=2.16$
41.

Ans. 511
Sol. Min-heap contains 1023 elements.
Min-heap means, parent should be minimum or equal to it's children so, max children could be either left or right one.

Following this logic, maximum can be definitely at leaf nodes.


No. of elements in leaf $=\left[\frac{n}{2}\right]=\left[\frac{1023}{2}\right]=512$
To find maximum among 512 elements, no. of comparisons needed is 511 .
42.

Ans. 0.5
Sol. Let $\mathrm{n}=3$
$0 \in<0,1]^{3}$
Let $a=\left[\begin{array}{l}1 \\ 0 \\ 1\end{array}\right]$
$x=0$ or 1
$\sum_{i=1}^{3} a_{i} x_{i}=a_{1} x_{1}+a_{2} x_{2}+a_{3} x_{3}$
$=\mathrm{x}_{1}=\mathrm{x}_{3} \quad\left(\because \mathrm{a}_{1}=1, \mathrm{a}_{2}=0, \mathrm{a}_{3}=1\right)$
$=0$ or 1 or 1 or 2 .
Let $a=\left[\begin{array}{l}0 \\ 0 \\ 1\end{array}\right]$
$\sum_{i=1}^{3} a_{i} x_{i}=a_{1} x_{1}+a_{2} x_{2}+a_{3} x_{3}$
$=\mathrm{x}_{3} \quad\left(\because \mathrm{a}_{1}=\mathrm{a}_{2}=0\right)$
$=0$ or 1
Let $a=\left[\begin{array}{l}0 \\ 1 \\ 0\end{array}\right]$
again for $\mathrm{a}=\left[\begin{array}{l}1 \\ 0 \\ 0\end{array}\right], \sum_{i=1}^{3} \mathrm{a}_{\mathrm{i}} \mathrm{x}_{\mathrm{i}}=0$ or 1
Let $a=\left[\begin{array}{l}1 \\ 1 \\ 0\end{array}\right]$
$\sum_{i=1}^{3} a_{i} x_{i}=x_{1}+x_{2}=0,0,1$, or 2
Similarly for $a=\left[\begin{array}{l}0 \\ 1 \\ 1\end{array}\right]$
$\sum_{i=1}^{3} a_{i} x_{i}=0,1,1$ or 2
Total number of cases $=2 \times 3+4 \times 3=18$
Now odd number of cases $=9$

$$
P=\frac{9}{18}=0.5
$$

43. 

Ans. 99
Sol. If we consider a small graph with 5 vertices, then the minimum spanning tree will have a weight 4.
So, for $n$-vertices, MST weight would be ( $n-1$ )
As $n=100$ (no. of vertices), So, minimum spanning tree weight $=(100-1)=99$
44.

Ans. 154.5 ns
Sol. Main memory access time, $\mathrm{Tm}_{\mathrm{m}}=100 \mathrm{~ns}$
TLB lookup, $T_{t L B}=20 \mathrm{~ns}$
Page transfer time, $\mathrm{T}_{\text {PT }}=5000 \mathrm{~ns}$
TLB hit ratio, $x=0.95$ (95\%)
page fault rate, $p=0.10$ ( $10 \%$ )


We know,
EMAT for multilevel paging,
$E M A T=x\left(T_{c}+T_{m}\right)+(1-x)\left(T_{c}+(n+1) T_{m}\right)$
EMAT, when there is a page fault, $S \rightarrow$ is service time
EMAT $=(1-P) T_{m}+P s$
Here, we are using TLB, and page fault occurs whenever there is a miss in TLB, So the required EMAT is,
EMAT $=x\left(T_{t \mid b}+T_{m}\right)+(1-x)\left[(1-P)\left(T_{t \mid b}+T_{m}+T_{m}\right)+p\left(\% \operatorname{dirty}\left(T_{\text {tlb }}+T_{m}+2 T_{P T}\right)+\%\right.\right.$ clean ( $T_{t \mid b}+T_{m}+T_{P T}$ )
$\therefore$ EMAT $=0.95(20+100)+0.05(0.9(20+100+100)+0.1(0.2(20+100+$
$2(5000))+0.8(20+100+5000))$
$=154.5 \mathrm{~ns}$
45.

Sol.


Minimum number $=3+4$
Of edge-colors required $=7$
46.

Ans. Option D
Sol. $\quad G=(V, E) T=M S T$
Weighted edge $(\mu, v)$ is added to $T$.
To verify it is still a MST or not, we need to compare with all the vertices. So, it would be $O(V)$.
47.

Ans. C
Sol. Subject Operating Systems
$a=1 \quad b=0 \quad$ count $=0$
Code section P: For process 1
Wait (a) $\Rightarrow a=0$
Count $++\Rightarrow$ count $=1$
If (count $==n$ ) $\Rightarrow$ false
signal (a) $\Rightarrow a=0$
wait (b) process blocked
As shown above, all processes execute wait (b) before, signal (b) in if condition.
Because, 'if' condition becomes True only for process $\mathrm{P}_{\mathrm{n}}\left(\mathrm{n}^{\text {th }}\right.$ process) [ $\because$ if (count $=\mathrm{n}$ )]
So, before Pn process finishes the code section, $P$, no other process executes code section
Q.

Hence, no process executes code section $Q$ before every process has finished code section P.
48.

Ans. 12
Sol. LILAC
IAC
3! + LLAC
$3+\frac{4}{2}+3+\frac{4}{2}+\frac{4}{2}$
$3+2+3+2+2=12$
49.

Ans. C
Sol. Rule 1: It is L-attributed as a child is inheriting either from parent or left sibling.
Rule 2: In expression ( $\mathrm{X} . \mathrm{i}=\mathrm{A} . \mathrm{i}+\mathrm{Y} . \mathrm{s}$ ), child is inheriting from its right sibling, which is not allowed in L-attributed. Hence, Rule 2 is not L-attributed.
50.

Ans. 14
Sol.

$\Rightarrow$ \# of instruction possible $=2^{4}=16$
$\therefore$ No. of free opcodes $=16-\mathrm{x}$
Let $x$ is number of R-type instruction existed.
$\therefore$ No. of I-type instruction possible $=(16-x) * 2^{2}$
$8=64-4 x$
$4 x=64-8=56$
$x=14$
51.

Ans. C
Sol. 1 word $=4$ bytes
Main memory $=16 \mathrm{MB}$
Bytes - Addressable
Cache size $=64 \mathrm{~KB}$
4-way SAM
Block size $=256$ bytes
$A_{1}=(42 C 8 A 4)_{16} \quad A_{2}=(546888)_{16} \quad A_{3}=(6 A 289 C)_{16} \quad A_{4}=(5 E 4880)_{16}$
Which two map to the same cache set?

| TAG | SET | WORD |
| :--- | :--- | :--- |

SAM:
Address length $=\frac{\text { Main memory size }}{\text { Byte }}=16 \times 2^{20}$ Bytes

$$
\begin{aligned}
& =2^{24} \text { Bytes } \\
& =24 \text { bits. }
\end{aligned}
$$

Word $\Rightarrow$ Block size $=256$ bytes $\Rightarrow 8$ bits for word
No. of sets $=\frac{\text { Total Block }}{\text { Blokes Per set }}=\frac{2^{8}}{2^{2}}=2^{6}$ sets
No. of block in cache $=\frac{\text { cache size }}{\text { Blcok size }}=\frac{64 \mathrm{~KB}}{256 \mathrm{~B}}=\frac{2^{16}}{2^{8}}=2^{8}$
So, SET field 6 bits
Remaining bits for TAG $=24-(8+6)=10$ bits

| 24 bits $\longrightarrow$ |  |  |
| :---: | :---: | :---: |
| TAG | SET | WORD |
| 10 bits | 6 bits | 8 bits |


| $\mathrm{A}_{1}$ : | 0100001011 | 001000 | 10100100 | SET : 8 |
| :---: | :---: | :---: | :---: | :---: |
| $\mathrm{A}_{2}$ | 0101010001 | 101000 | 10001000 | SET : 40 |
| $\mathrm{A}_{3}$ : | 0110101001 | 101000 | 10011100 | SET : 40 |
| $\mathrm{A}_{4}$ : | 0101111001 | 001000 | 10000000 | SET : 8 |

Hence, $A_{1}$ and $A_{4}$ maps to same set
$A_{2}$ and $A_{3}$ maps to same set
52.

Ans. C
Sol. $Z=a+\overline{b c}$
solving it with K-map

$\therefore$ Minterms will be

$$
=\sum m(1,4,5,6,7)
$$

53. 

Ans. B
Sol.
$\forall \times(\mathrm{P}(\mathrm{x}) \rightarrow \omega) \equiv \forall \mathrm{xp}(\mathrm{x}) \rightarrow \omega$ is worng
since $\forall \times[(p x) \rightarrow \omega] \equiv \forall x[\sim P(x) v \omega]$
$\equiv \forall x[\sim P(x) V \omega]$
$\equiv \sim[\exists \times P(x)] \vee \omega$
$\equiv \exists \times \mathrm{P}(\mathrm{x}) \rightarrow \omega$
54.

Ans. 6
Sol. $L=w \in(a, b)^{*} \mid n_{a}(w)=$ multiple of 2 but not 3 .
$L_{1}=\left\{n_{a} \bmod 2=0\right\} \Rightarrow$ need 2 states
$L_{2}=\left\{n_{\mathrm{a}} \bmod 3 \neq 0\right\} \Rightarrow$ need 3 states
$\left|L_{1} \times L_{2}\right|=(2 \times 3)=6$ states.
Minimal DFA design $\Rightarrow$

$\therefore$ No. of states in min. DFA $=6$ states.
55.

Ans. C

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